



Universitat
de les Illes Balears



The New TRAM MODEL:

***Achievements at Meteo-UIB Towards
Numerical Modelling Capabilities Aimed at a
Wide Range of Time-Space Scales***

Romu Romero

9th METMED Conference

Genoa (Italy), 22-24 May 2023

TRAM: Triangle-based Regional Atmospheric Model

> 16th EGU PLINIUS Conference (Montpellier, 2018):

"TRAM: A new nonhydrostatic fully compressible numerical model"

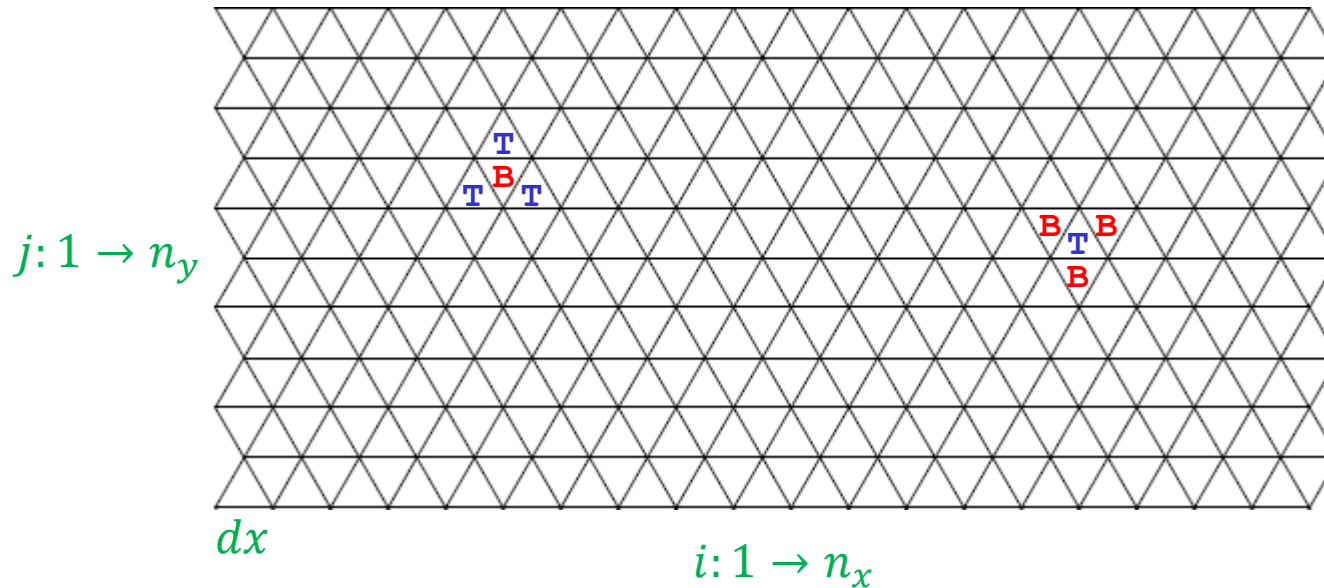
> 7th METMED Conference (Palma de Mallorca, 2019):

"A computationally cheap atmosphere-ocean modelling system aimed at anticipating meteotsunami occurrence in Ciutadella"

> 8th METMED Conference (Online, 2021):

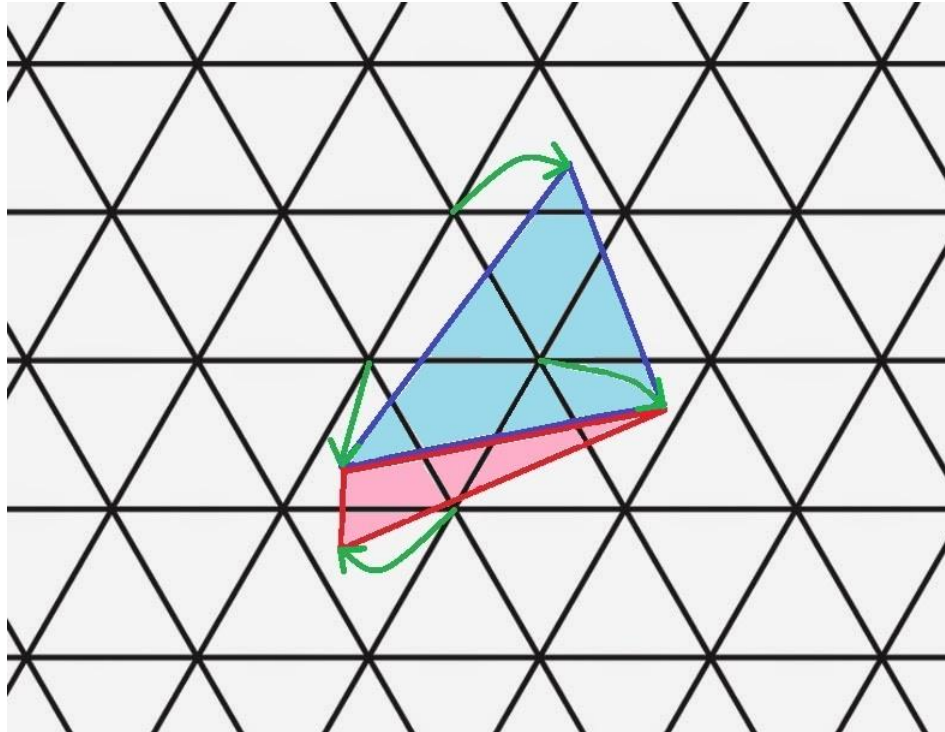
"TRAM with physics: A new numerical model suited for all kinds of atmospheric applications"

> Triangular-based mesh



- > Actual **resolution** (square-based domain) is $\approx \frac{2}{3}dx$
- > All **variables** defined at triangle barycenters: T_{ij} B_{ij}
- > **1st derivatives** (slopes) at T/B from neighbor B/T
- > **2nd derivatives** (e.g. diffusion) using all four T/B

- > True 2D REA instead of dimensional splitting



- > MC Slope Limiter, using local and neighbor slopes

- > 6-cell average wind at corners $\bar{U}_{ij}^n$ $\bar{V}_{ij}^n$

- > Linear profile for wind within cell:
$$\begin{cases} x' = \bar{U}_{ij}^n + Ax + By \\ y' = \bar{V}_{ij}^n + Cx + Dy \end{cases}$$

Non-Hydrostatic Fully-Compressible Equations

> FINAL version of Euler (Navier-Stokes) equations

$$\frac{\partial \pi'}{\partial t} = -u \frac{\partial \pi'}{\partial x} - v \frac{\partial \pi'}{\partial y} - w \frac{\partial \pi'}{\partial z} - w \frac{\partial \bar{\pi}}{\partial z} - \frac{R}{c_v} (\bar{\pi} + \pi') \left[\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} \right]$$

$$\frac{\partial \theta'}{\partial t} = -u \frac{\partial \theta'}{\partial x} - v \frac{\partial \theta'}{\partial y} - w \frac{\partial \theta'}{\partial z} - w \frac{\partial \bar{\theta}}{\partial z} + \mu \left[\nabla^2 \theta' + \frac{\partial^2 (\bar{\theta} + \theta')}{\partial z^2} \right]$$

$$\frac{\partial u}{\partial t} = -u \frac{\partial u}{\partial x} - v \frac{\partial u}{\partial y} - w \frac{\partial u}{\partial z} - c_p (\bar{\theta} + \theta') \frac{\partial \pi'}{\partial x} + f v - \hat{f} w + \mu \left[\nabla^2 u + \frac{\partial^2 u}{\partial z^2} \right]$$

$$\frac{\partial v}{\partial t} = -u \frac{\partial v}{\partial x} - v \frac{\partial v}{\partial y} - w \frac{\partial v}{\partial z} - c_p (\bar{\theta} + \theta') \frac{\partial \pi'}{\partial y} - f u + \mu \left[\nabla^2 v + \frac{\partial^2 v}{\partial z^2} \right]$$

$$\frac{\partial w}{\partial t} = -u \frac{\partial w}{\partial x} - v \frac{\partial w}{\partial y} - w \frac{\partial w}{\partial z} - c_p (\bar{\theta} + \theta') \frac{\partial \pi'}{\partial z} + g \frac{\theta'}{\bar{\theta}} + \hat{f} u + \mu \left[\nabla^2 w + \frac{\partial^2 w}{\partial z^2} \right]$$

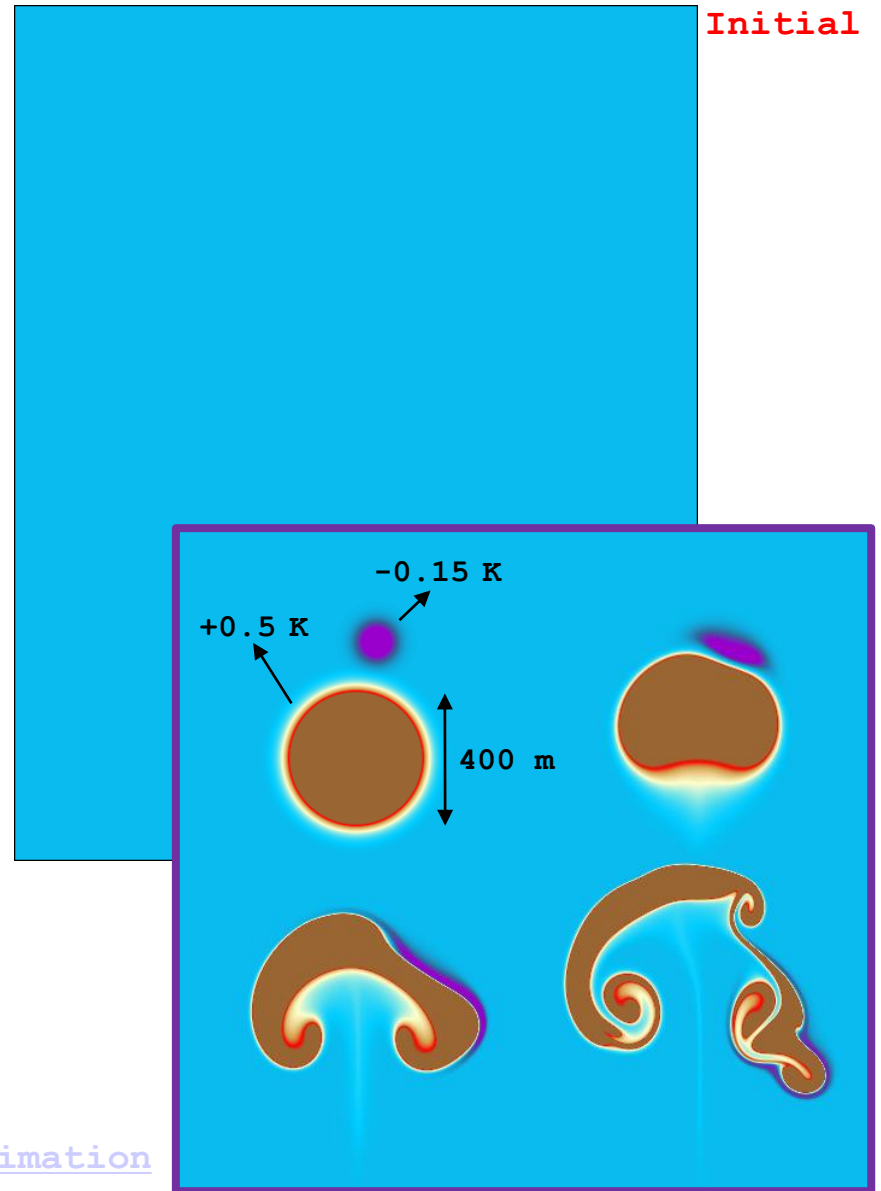
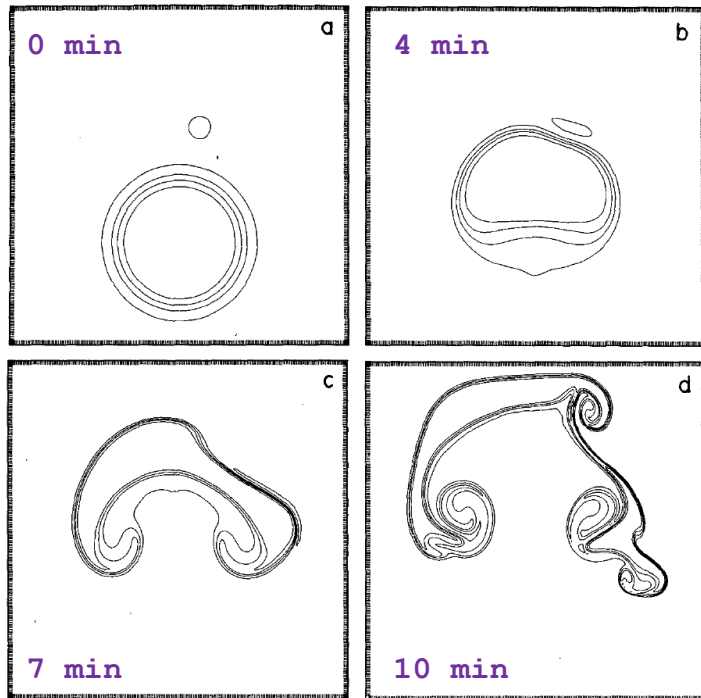
> Numerical implementation 3D [CFL $\xrightarrow{c_s > 300 \text{ m/s}}$ $\Delta t \approx 2 \Delta x(\Delta z)$]

- * Forward-Backward integration of "forcings" in RK2 cycle
- * REA (V and H) integration of advection every 6-10 Nsteps
- * Rigid Wall BCs at W/E S/N B/T boundaries

> Large Warm & Small Cold Bubbles

(dx=dz=2.5m, dt=0.00625s, Nstep=10, 40min)

Robert (1993)

Animation

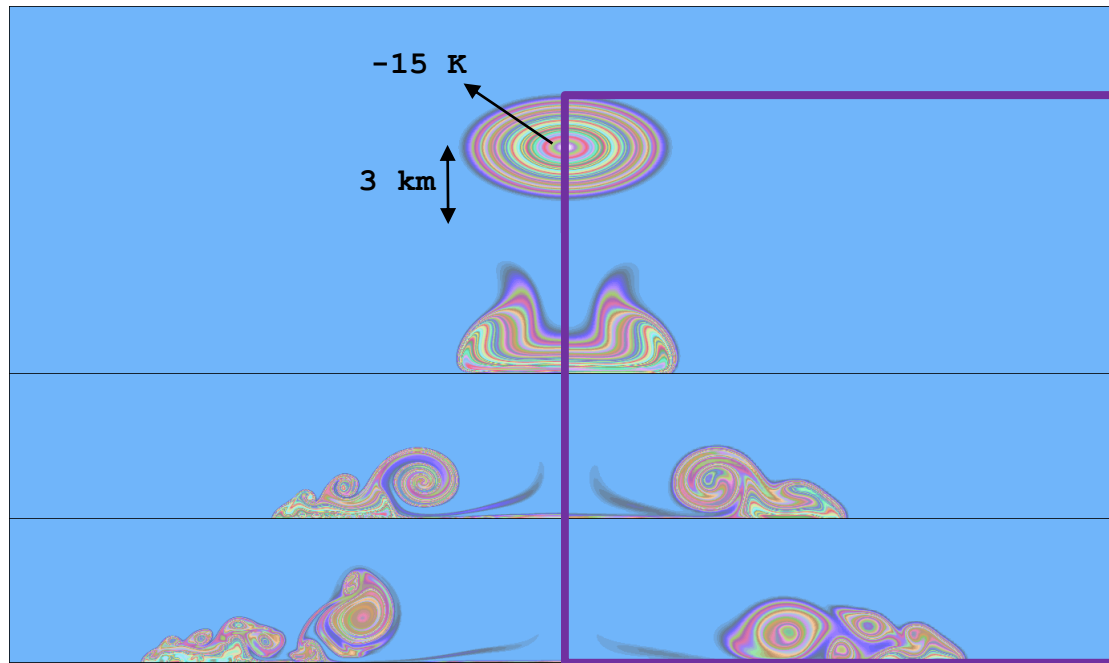
> Density Current

($dx=dz=100\text{m}$, $dt=0.25\text{s}$, $N_{\text{step}}=10$, **3h**)

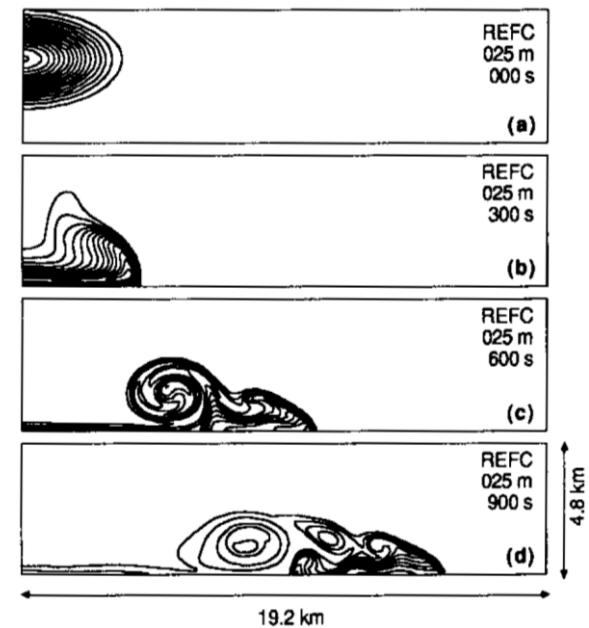


Quadruple resolution

Initial

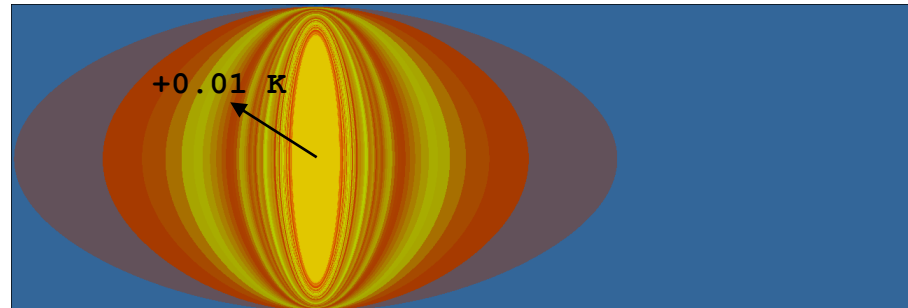


Straka et al. (1993)

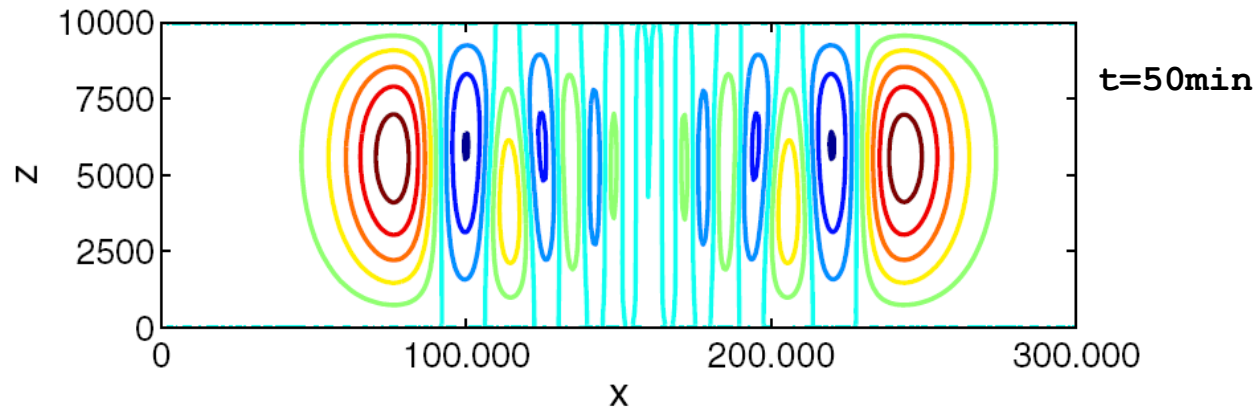


> Inertia-Gravity Waves (uniform wind/stability: $U=20\text{ms}^{-1}/N=0.01\text{s}^{-1}$)

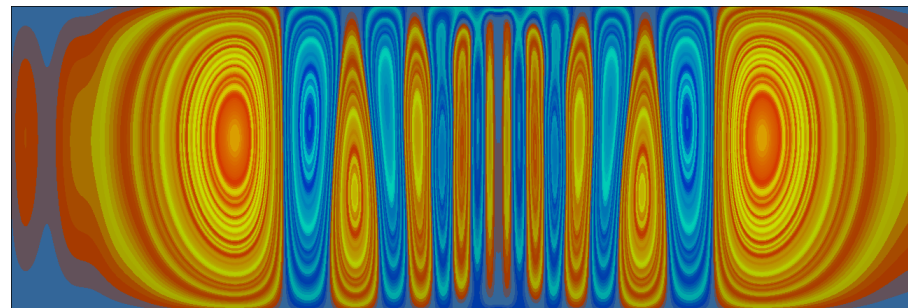
($dx=dz=125\text{m}$, $dt=0.3125\text{s}$, $N_{\text{step}}=10$, 1h)



Initial



Giraldo
&
Restelli
(2008)



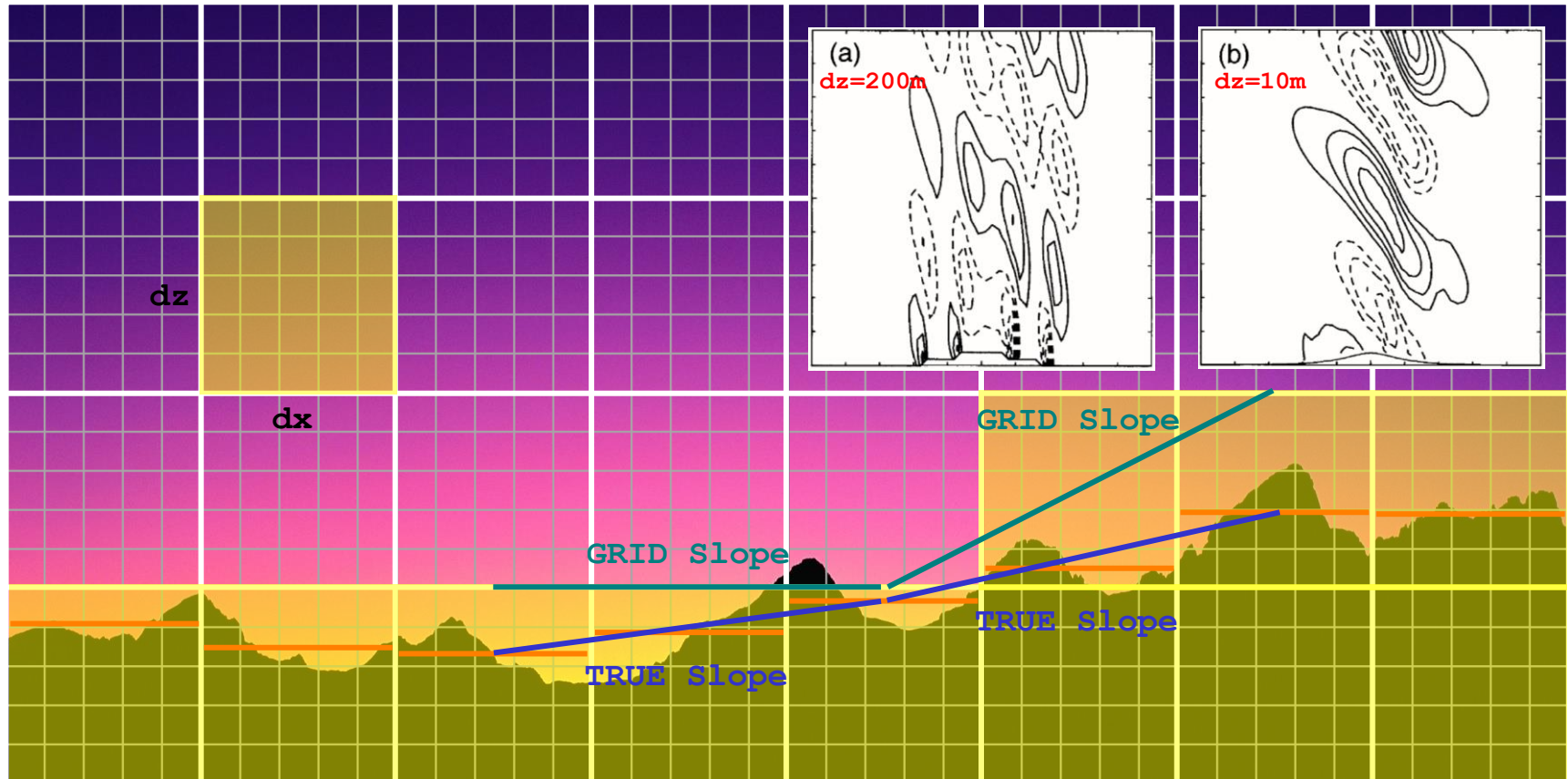
Animation

Inclusion of Orography (+ GW Absorbing Layer)

> TRUE-terrain slope vs GRID-based slope

ETA MODEL

Gallus & Klemp (2000)



NO forcing !!!

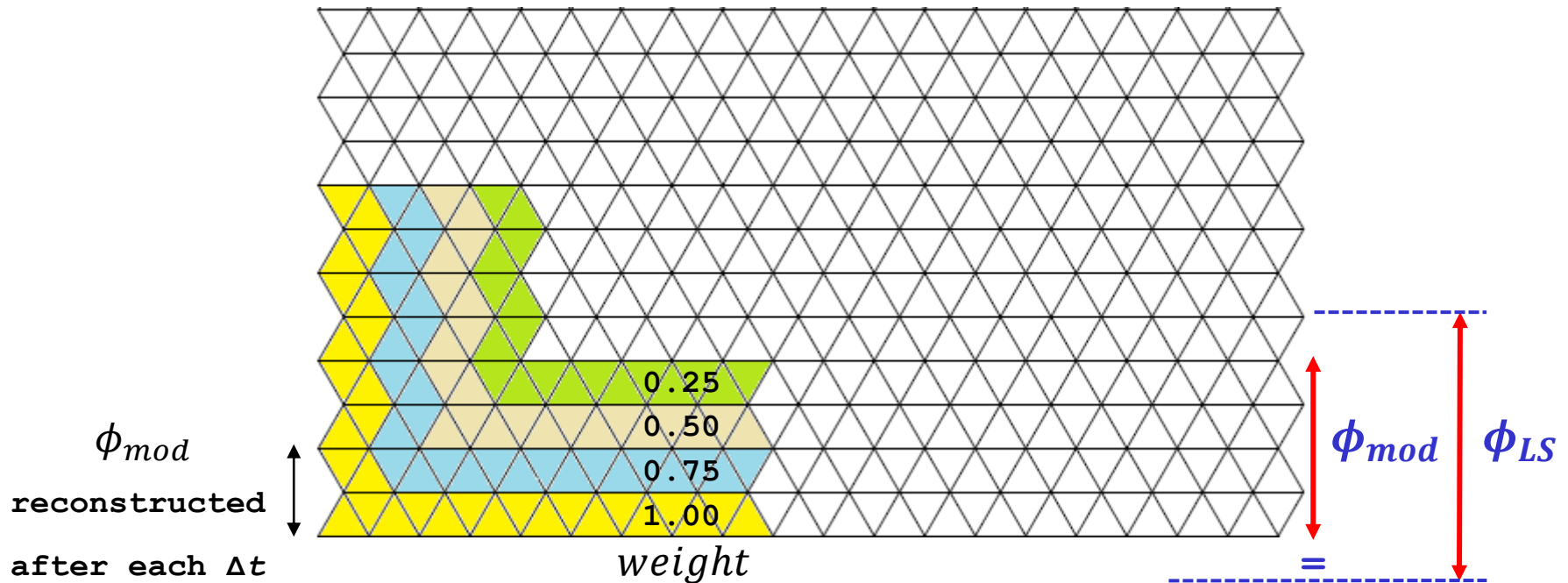
TOO MUCH forcing !!!

CORRECT forcing

CORRECT forcing

Specified Lateral Boundary Conditions

> Interior solution ϕ_{mod} relaxed towards specified ϕ_{LS}

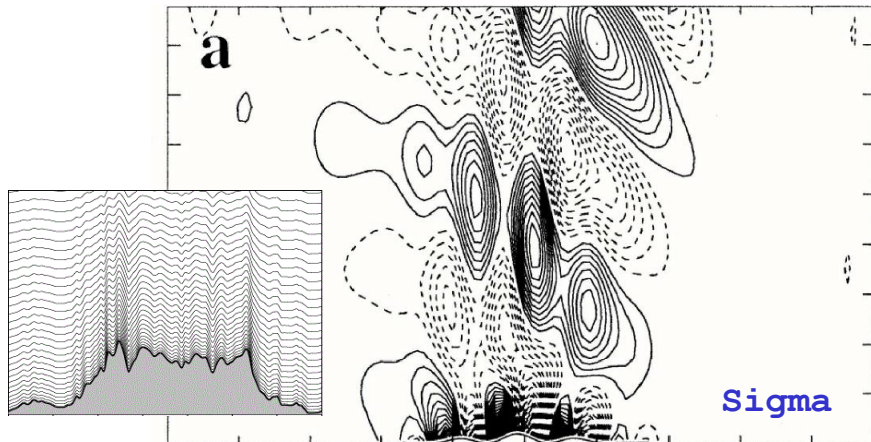


$$\frac{\partial \phi_{mod}}{\partial t} = \text{weight} [F(\phi_{LS} - \phi_{mod}) - G\Delta^2(\phi_{LS} - \phi_{mod})]$$

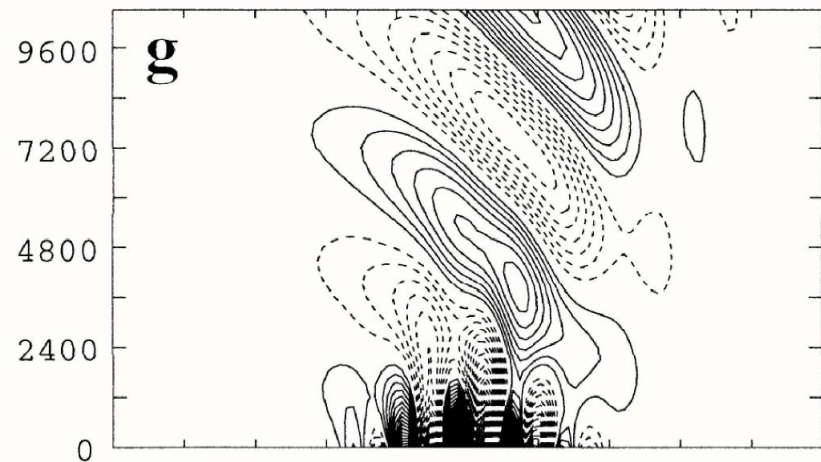
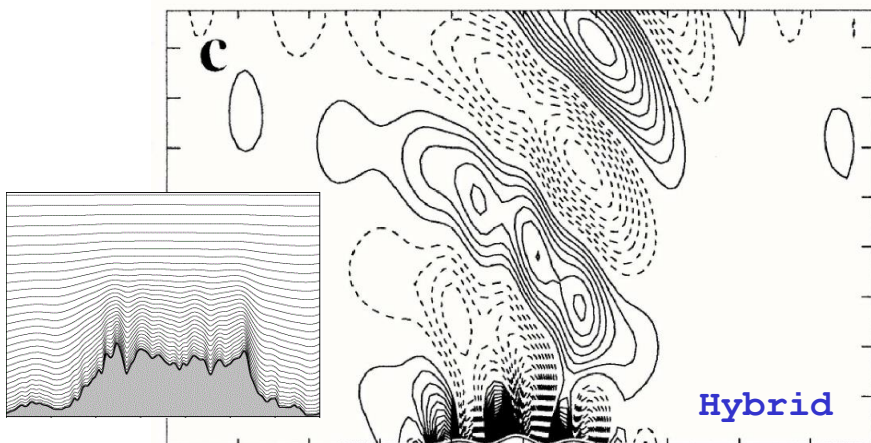
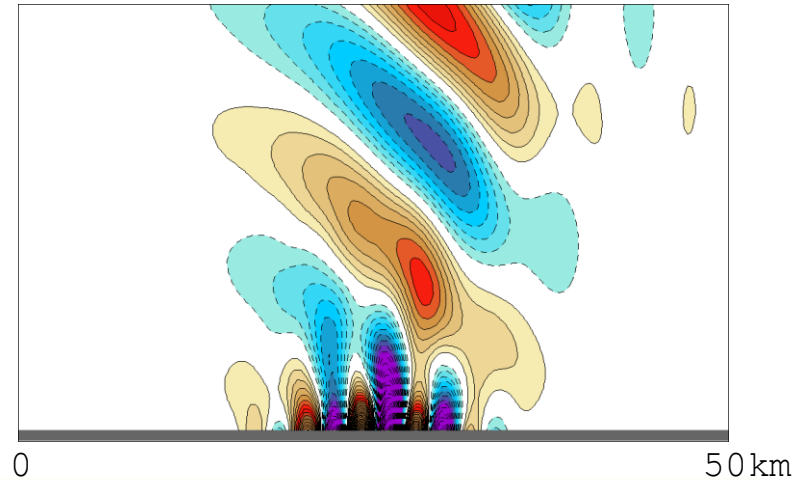
> Typical values $\begin{cases} F = 1/10\Delta t \\ G = 1/50\Delta t \end{cases}$ ($\times 5$ if using grid analyses)

> Schär Mountain (250m bell-shaped + small-scale, $U=10\text{ms}^{-1}$, $N=0.01\text{s}^{-1}$)

($dx=250\text{m}$, $dz=250\text{m}$, $dt=0.75\text{s}$, $N_{\text{step}}=10$, 10h)



Steady-state

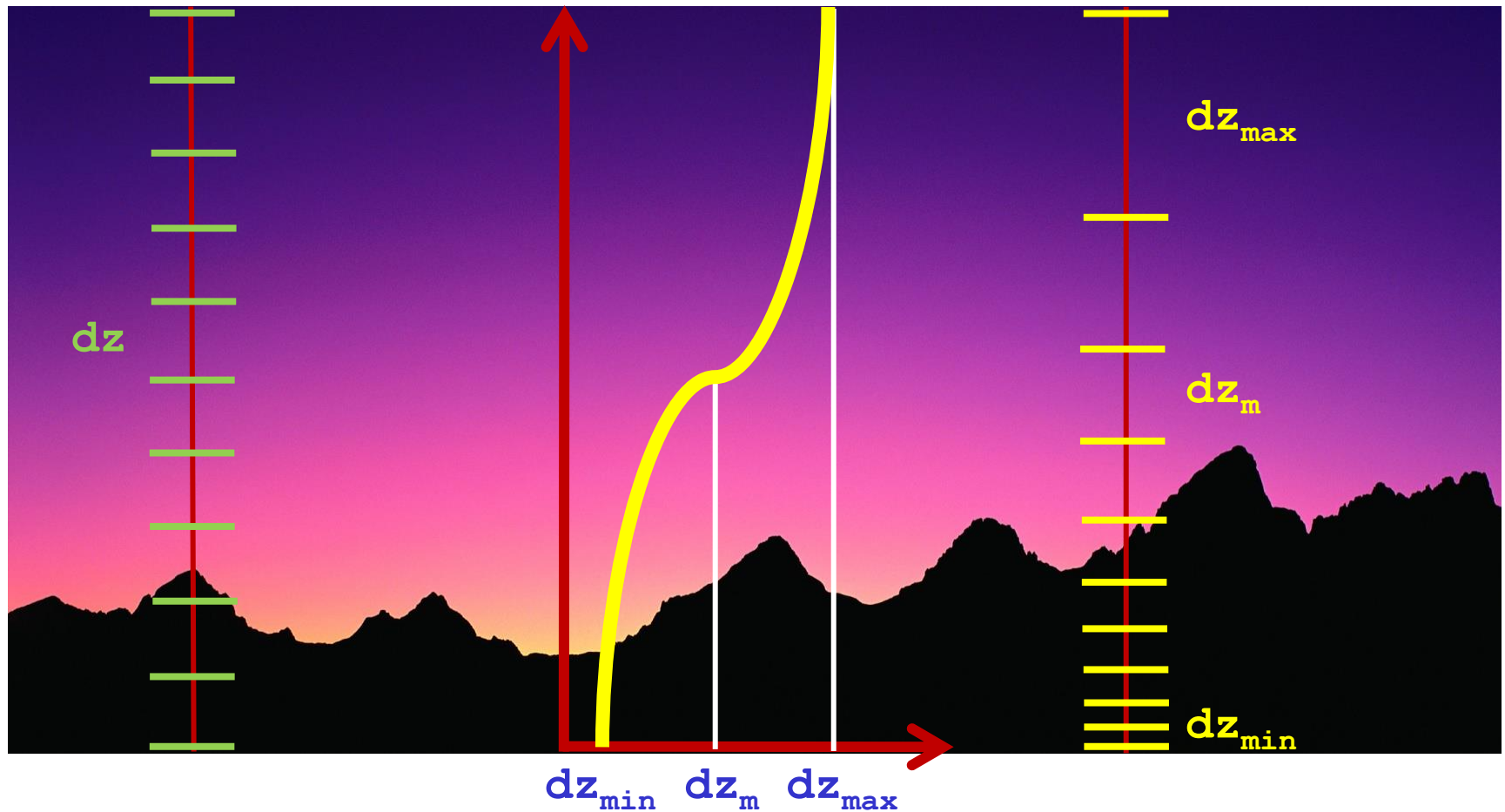


Schär et al. (2002)

Analytical

Vertical Stretching (+ Stabilization Fast Modes)

> Higher resolution at low levels (cos profile)



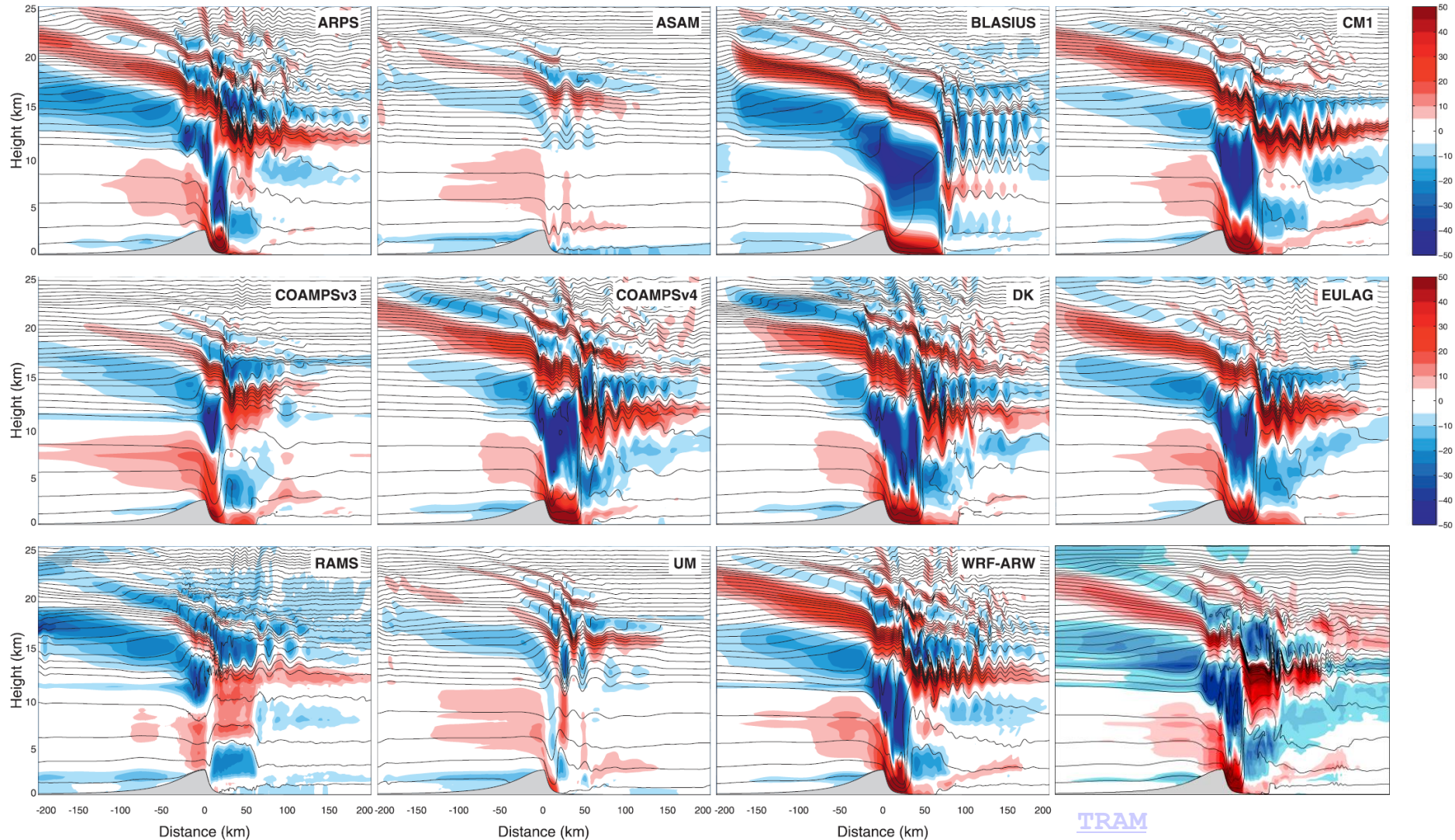
> Two parameters ($stretch, dz_m$)
$$\begin{cases} dz_{min} = dz_m / stretch \\ dz_{max} = dz_m + (dz_m - dz_{min}) \end{cases}$$

> T-REX Intense Mountain-Wave

t=4h

(dx=500m,dzm=100m,stretch=5,dt=1.5s,Nstep=6,20h)

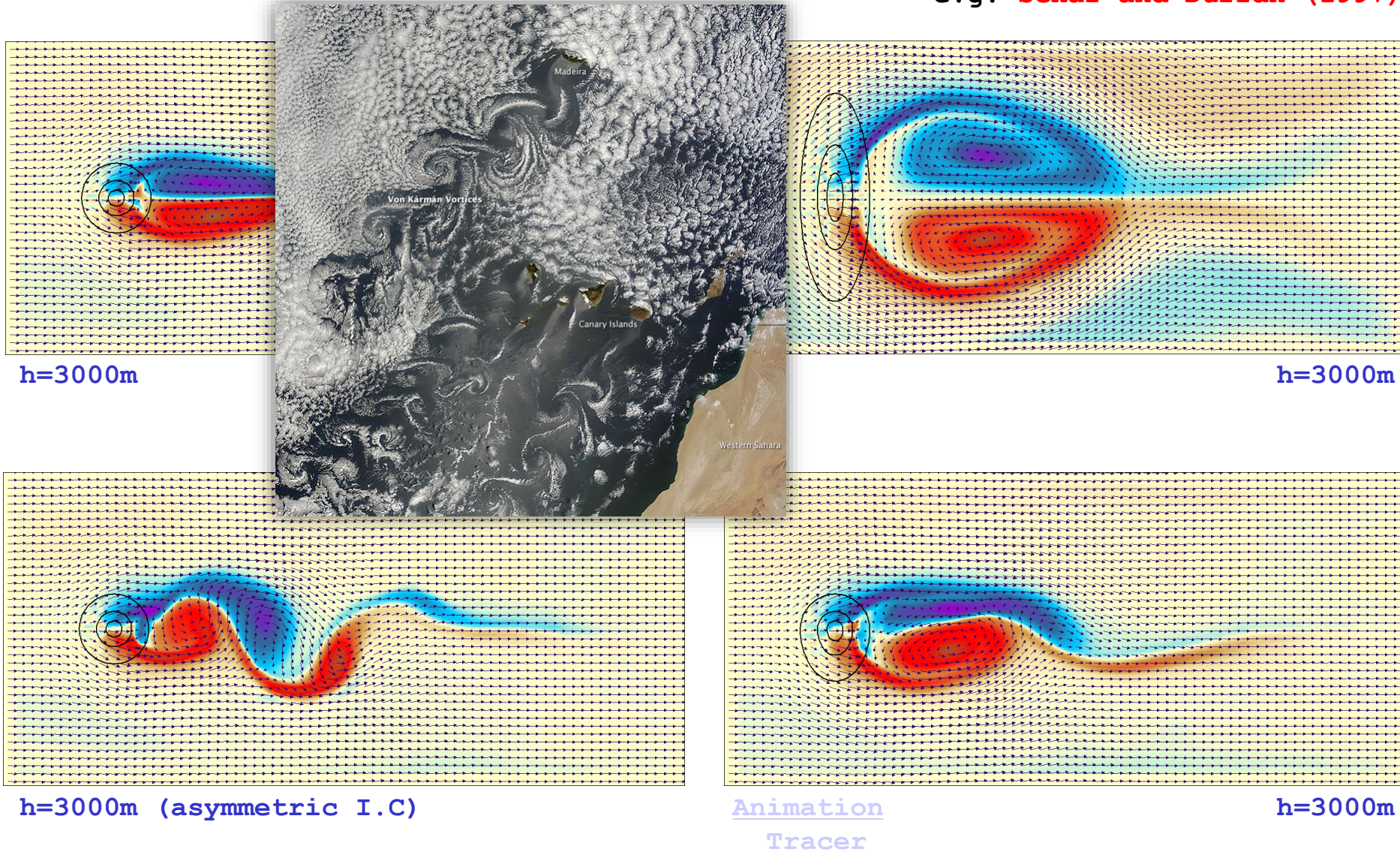
Doyle et al. (2011)



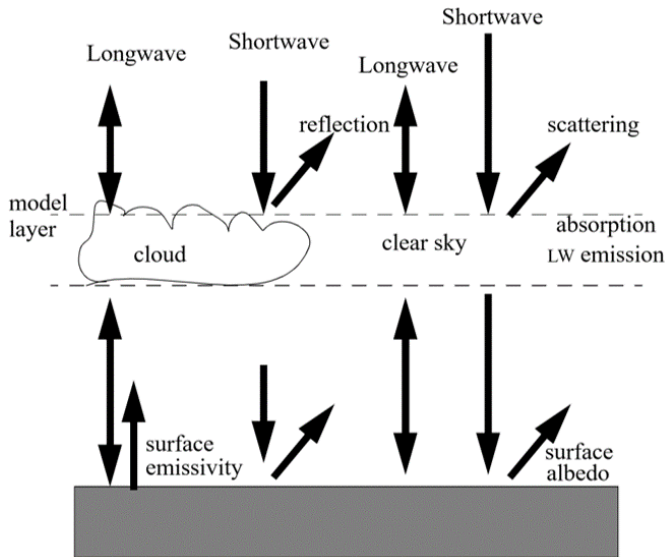
> Von Kármán Vortex Streets ($U=10\text{ms}^{-1}$, $N=0.01\text{s}^{-1}$)

($dx=2\text{km}$, $dzm=500\text{m}$, $stretch=2$, $dt=4\text{s}$, $Nstep=10$, **48h**)

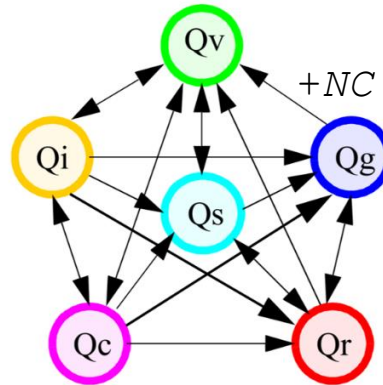
e.g. **Schär and Durran (1997)**



Radiation



Microphysics



NEW

Prognostic fields

$$Q_\chi$$

Forcing terms

$$F_{Q_\chi}$$

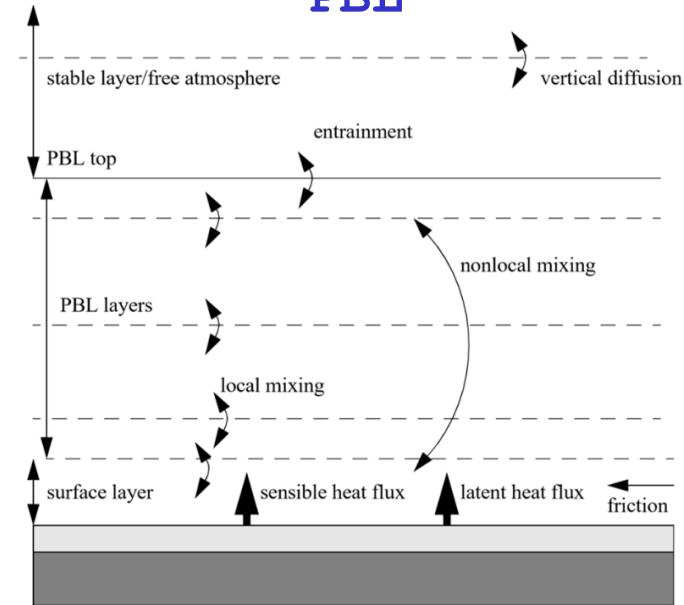
$$F_T$$

$$F_u \quad F_v$$

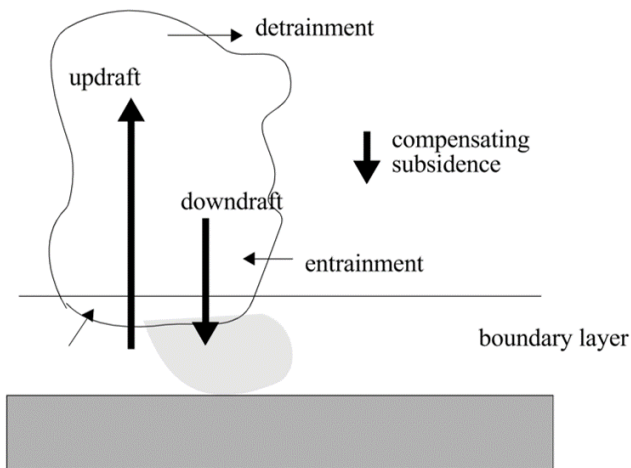
Surface variables

$$T_g \quad R_{nc} \quad R_c \quad \dots$$

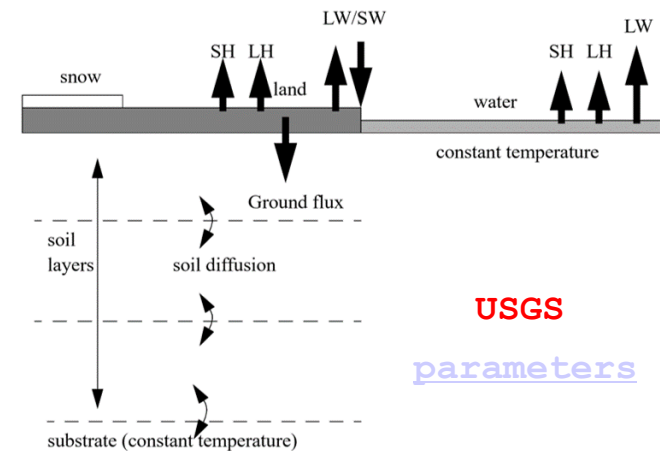
PBL



Cumulus



Surface



USGS

parameters

NEW Form of Equations: MESOSCALE-IDEALized

$$\frac{\partial \pi'}{\partial t} = -u \frac{\partial \pi'}{\partial x} - v \frac{\partial \pi'}{\partial y} - w \frac{\partial \pi'}{\partial z} - w \frac{\partial \bar{\pi}}{\partial z} - \frac{R_d}{c_p} \frac{c_{pm}}{c_{vm}} (\bar{\pi} + \pi') \left[\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} \right] + \frac{R_d}{c_{vm}} \frac{1}{\bar{\theta} + \theta'} \mathbf{E}_T$$

ALL moist effects on pressure and thermodynamics

$$+ \frac{R_d}{c_p} \frac{R_v}{R_m} \frac{c_{pm}}{c_{vm}} (\bar{\pi} + \pi') \mathbf{E}_{Q_v}$$

$$\frac{\partial \theta'}{\partial t} = -u \frac{\partial \theta'}{\partial x} - v \frac{\partial \theta'}{\partial y} - w \frac{\partial \theta'}{\partial z} - w \frac{\partial \bar{\theta}}{\partial z} - \left(\frac{R_m}{c_{vm}} - \frac{R_d}{c_p} \frac{c_{pm}}{c_{vm}} \right) (\bar{\theta} + \theta') \left[\frac{\partial u}{\partial x} + \frac{\partial v}{\partial y} + \frac{\partial w}{\partial z} \right]$$

Physics computed in NSTEP-cycle

$$+ \frac{c_v}{c_{vm}} \frac{1}{\bar{\pi} + \pi'} \mathbf{E}_T + \frac{R_v}{c_{vm}} \left(1 - \frac{R_d}{c_p} \frac{c_{pm}}{R_m} \right) (\bar{\theta} + \theta') \mathbf{E}_{Q_v}$$

$$\frac{\partial u}{\partial t} = -u \frac{\partial u}{\partial x} - v \frac{\partial u}{\partial y} - w \frac{\partial u}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) \frac{\partial \pi'}{\partial x} + f v - \hat{f} w + \mathbf{E}_u$$

$$\frac{\partial v}{\partial t} = -u \frac{\partial v}{\partial x} - v \frac{\partial v}{\partial y} - w \frac{\partial v}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) \frac{\partial \pi'}{\partial y} - f u + \mathbf{E}_v$$

$$\pi = \left(\frac{P}{P_0} \right)^{R_d/c_p} \quad \theta = \frac{T}{\pi} \quad P = \rho R_d T \frac{1+Q_v/\varepsilon}{1+Q_v}$$

$$\theta_\rho = \theta \frac{1+Q_v/\varepsilon}{1+Q_v+Q_{liq}+Q_{ice}} \quad c_p \bar{\theta}_\rho \frac{\partial \bar{\pi}}{\partial z} = -g$$

$$\frac{\partial w}{\partial t} = -u \frac{\partial w}{\partial x} - v \frac{\partial w}{\partial y} - w \frac{\partial w}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) \frac{\partial \pi'}{\partial z} + g \frac{\theta'_\rho}{\bar{\theta}_\rho} + \hat{f} u - g(Q_{liq} + Q_{ice})$$

$$\frac{\partial Q_x}{\partial t} = -u \frac{\partial Q_x}{\partial x} - v \frac{\partial Q_x}{\partial y} - w \frac{\partial Q_x}{\partial z} + \mathbf{E}_{Q_x}$$

$$R_m = R_d + R_v \quad Q_v = \varepsilon = R_d / R_v$$

$$c_{pm} = c_p + c_{pv} \quad Q_v + c_l Q_{liq} + c_i Q_{ice}$$

$$c_{vm} = c_v + c_{vv} \quad Q_v + c_l Q_{liq} + c_i Q_{ice}$$

NEW Form of Equations: SYNOPTIC-REALcase

$$\frac{\partial \pi'}{\partial t} = -mu \frac{\partial \pi'}{\partial x} - mv \frac{\partial \pi'}{\partial y} - w \frac{\partial \pi'}{\partial z} - w \frac{\partial \bar{\pi}}{\partial z} - \frac{R_d}{c_p} \frac{c_{pm}}{c_{vm}} (\bar{\pi} + \pi') \left[m^2 \left(\frac{\partial (\frac{u}{m})}{\partial x} + \frac{\partial (\frac{v}{m})}{\partial y} \right) + \frac{\partial w}{\partial z} \right] + \frac{R_d}{c_{vm}} \frac{1}{\bar{\theta} + \theta'} E_T + \frac{R_d}{c_p} \frac{R_v}{R_m} \frac{c_{pm}}{c_{vm}} (\bar{\pi} + \pi') E_{Q_v}$$

ALL Coriolis and curvature terms

$$\frac{\partial \theta'}{\partial t} = -mu \frac{\partial \theta'}{\partial x} - mv \frac{\partial \theta'}{\partial y} - w \frac{\partial \theta'}{\partial z} - w \frac{\partial \bar{\theta}}{\partial z} - \left(\frac{R_m}{c_{vm}} - \frac{R_d}{c_p} \frac{c_{pm}}{c_{vm}} \right) (\bar{\theta} + \theta') \left[m^2 \left(\frac{\partial (\frac{u}{m})}{\partial x} + \frac{\partial (\frac{v}{m})}{\partial y} \right) + \frac{\partial w}{\partial z} \right] + \frac{c_v}{c_{vm}} \frac{1}{\bar{\pi} + \pi'} E_T + \frac{R_v}{c_{vm}} \left(1 - \frac{R_d}{c_p} \frac{c_{pm}}{R_m} \right) (\bar{\theta} + \theta') E_{Q_v}$$

LAMBERT projection

$$\frac{\partial u}{\partial t} = -mu \frac{\partial u}{\partial x} - mv \frac{\partial u}{\partial y} - w \frac{\partial u}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) m \frac{\partial \pi'}{\partial x} + v \left(f + u \frac{\partial m}{\partial y} - v \frac{\partial m}{\partial x} \right) - \hat{f} w \cos \alpha - \frac{uw}{a} + E_u$$

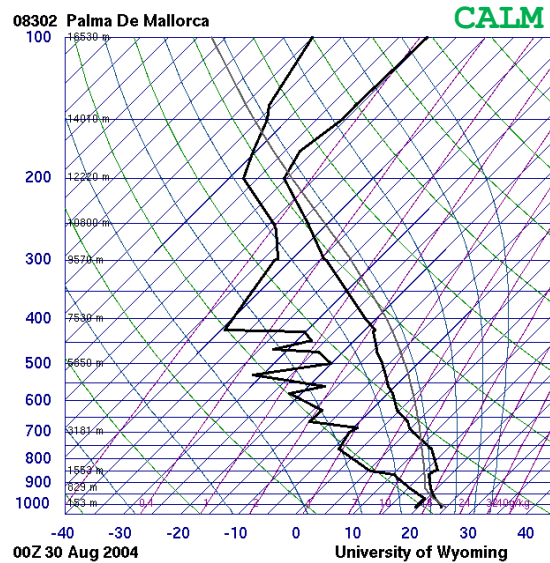
$$\frac{\partial v}{\partial t} = -mu \frac{\partial v}{\partial x} - mv \frac{\partial v}{\partial y} - w \frac{\partial v}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) m \frac{\partial \pi'}{\partial y} - u \left(f + u \frac{\partial m}{\partial y} - v \frac{\partial m}{\partial x} \right) + \hat{f} w \sin \alpha - \frac{uw}{a} + E_v$$

$$\frac{\partial w}{\partial t} = -mu \frac{\partial w}{\partial x} - mv \frac{\partial w}{\partial y} - w \frac{\partial w}{\partial z} - c_p (\bar{\theta}_\rho + \theta'_\rho) \frac{\partial \pi'}{\partial z} + g \frac{\theta'_\rho}{\bar{\theta}_\rho} + \hat{f} (u \cos \alpha - v \sin \alpha) + \frac{u^2 + v^2}{a} - g(Q_{liq} + Q_{ice})$$

$$\frac{\partial Q_x}{\partial t} = -mu \frac{\partial Q_x}{\partial x} - mv \frac{\partial Q_x}{\partial y} - w \frac{\partial Q_x}{\partial z} + E_{Q_x}$$

> Breeze Circulation in Mallorca (IC: Sounding 00 UTC 30 Ago 2004)

(dx=1.5km,dzm=400m,stretch=20,dt=3s,Nstep=10,30h)



m/s

7

6

5

4

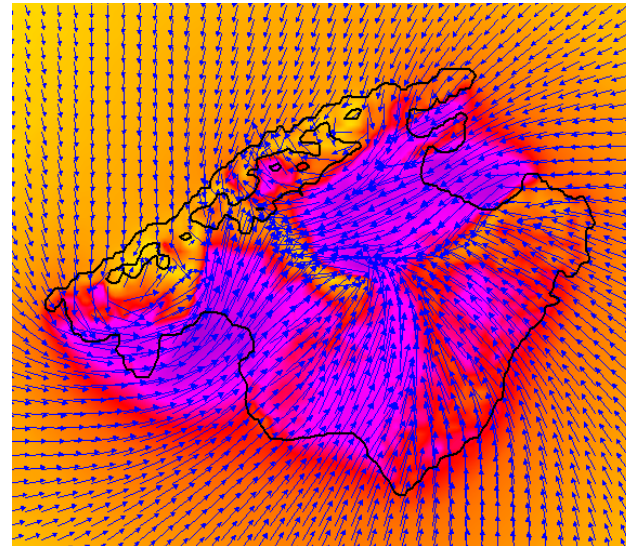
3

2

1

0

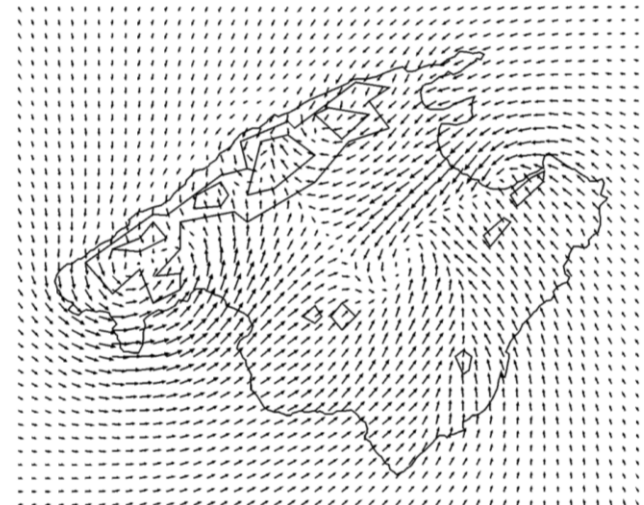
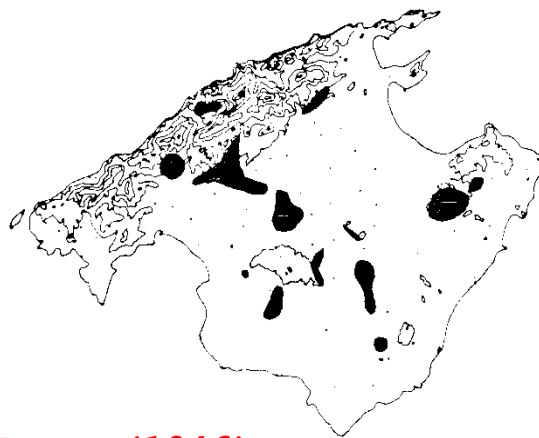
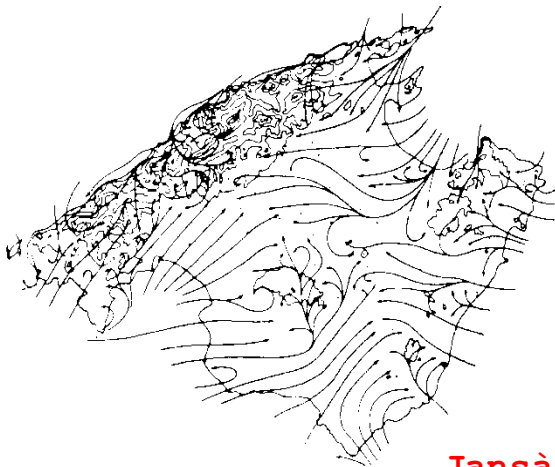
Run



t=13h

Clouds

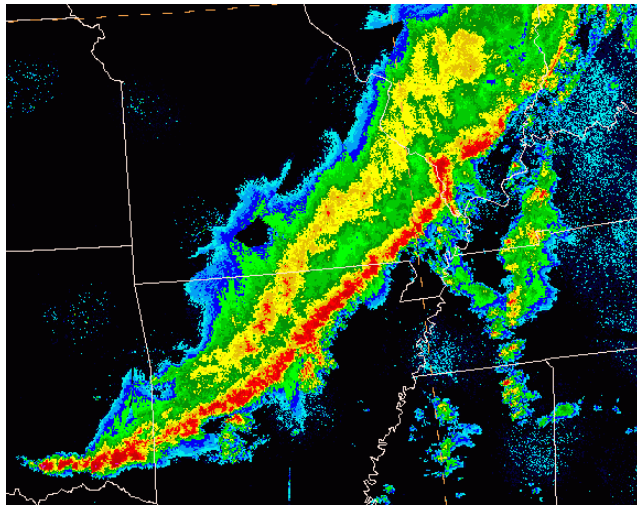
Rainfall



Ramis & Romero (1995)

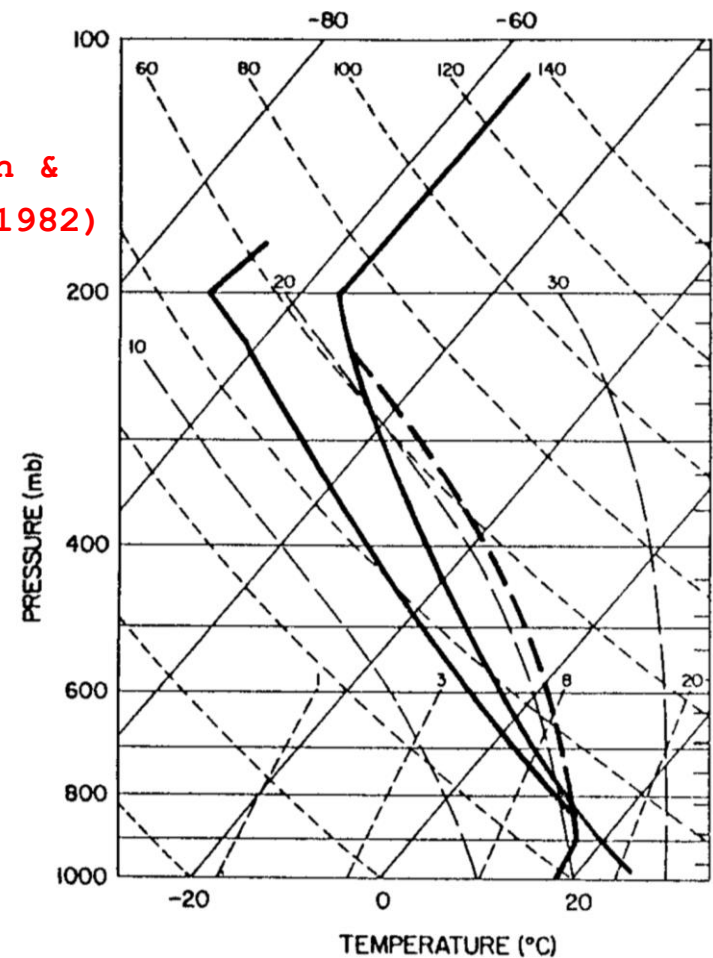
> Squall-Line Simulation (NO Coriolis, Radiation, PBL and Cumulus)

(dx=1.5km,dzm=200m,stretch=10,dt=3s,Nstep=5,10h)



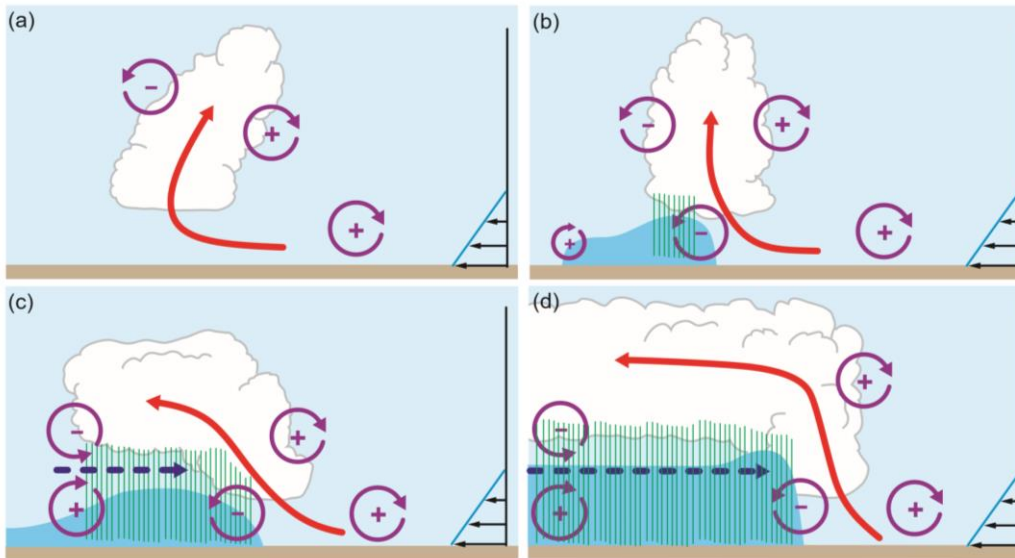
IC: WK82 SOUNDING + 8K Surface Cold Pool
... and 3 different wind profiles

Weisman &
Klemp (1982)



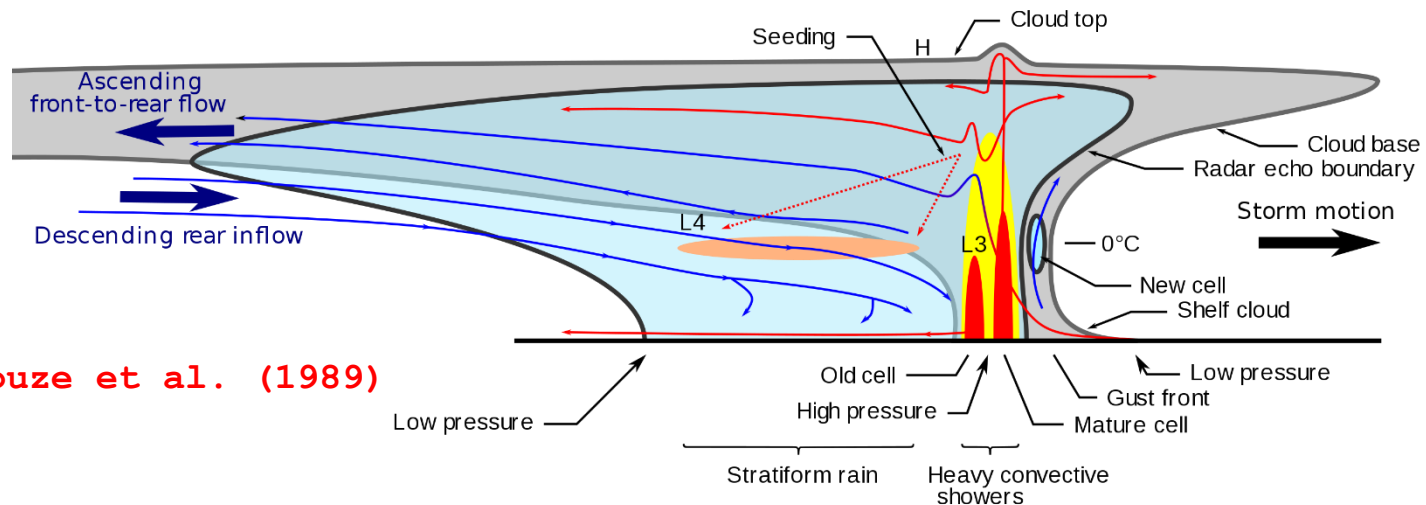
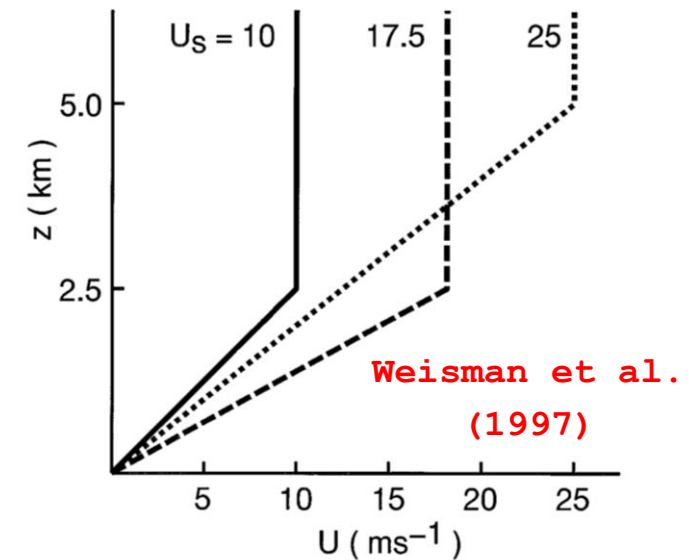
> Squall-Line Simulation (NO Coriolis, Radiation, PBL and Cumulus)

(dx=1.5km,dzm=200m,stretch=10,dt=3s,Nstep=5,10h)



Weisman (1993)

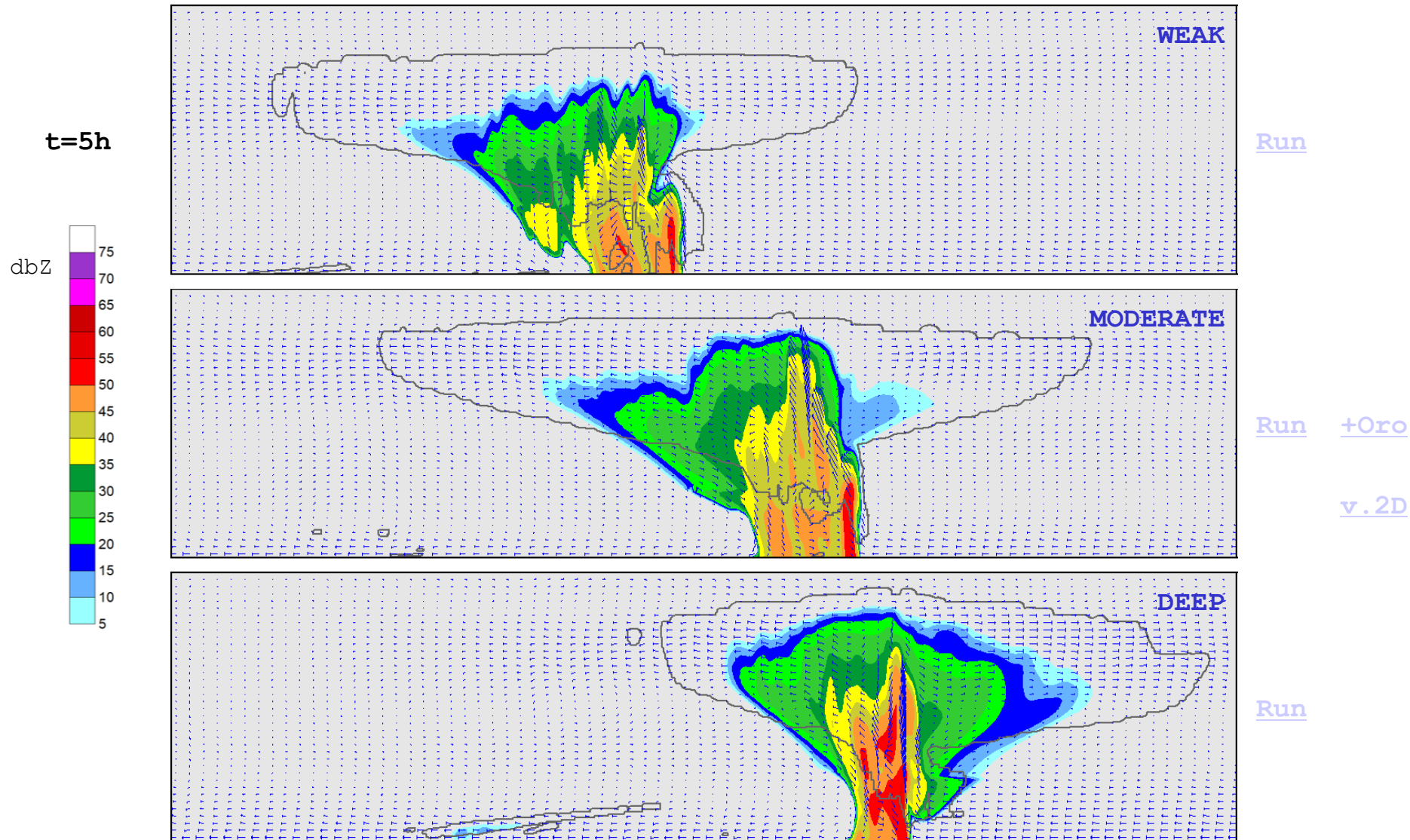
SHEAR: Weak Moderate Deep



Houze et al. (1989)

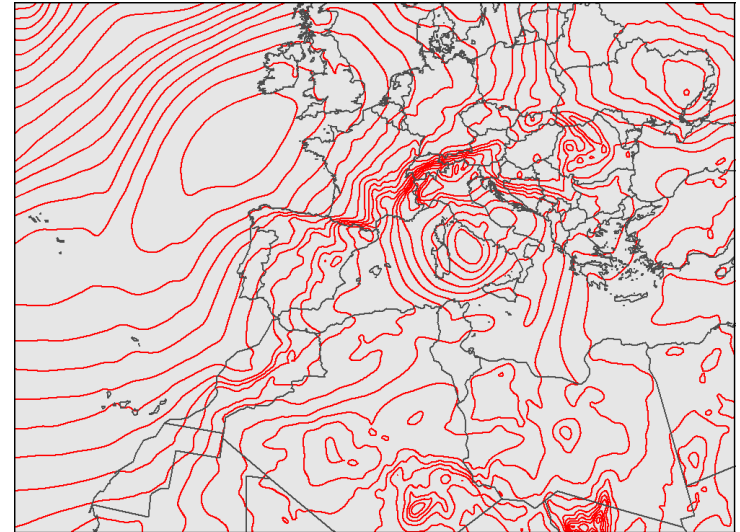
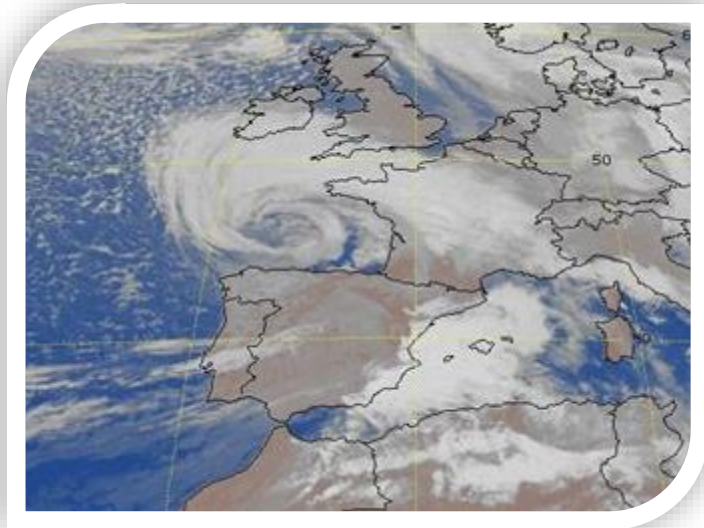
> Squall-Line Simulation (NO Coriolis, Radiation, PBL and Cumulus)

(dx=1.5km,dzm=200m,stretch=10,dt=3s,Nstep=5,10h)

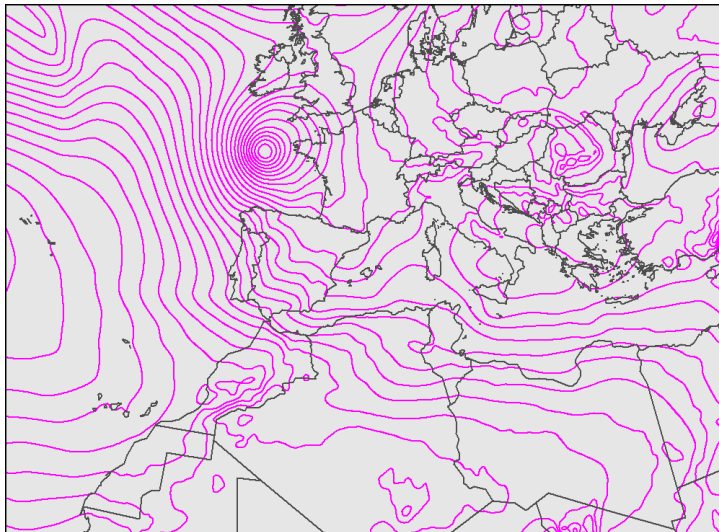


> "HUGO" Intense Cyclonic Storm (IC: 00 UTC 21 Mar 2018)

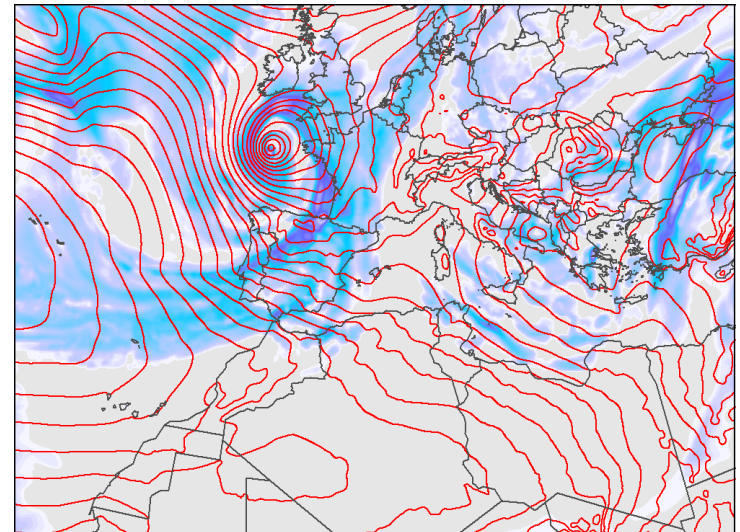
(MR: dx=25km, dzm=200m, stretch=10, dt=45s, Nstep=5, 90h)



t=0h



t=72h



kg/m²



ERA-5

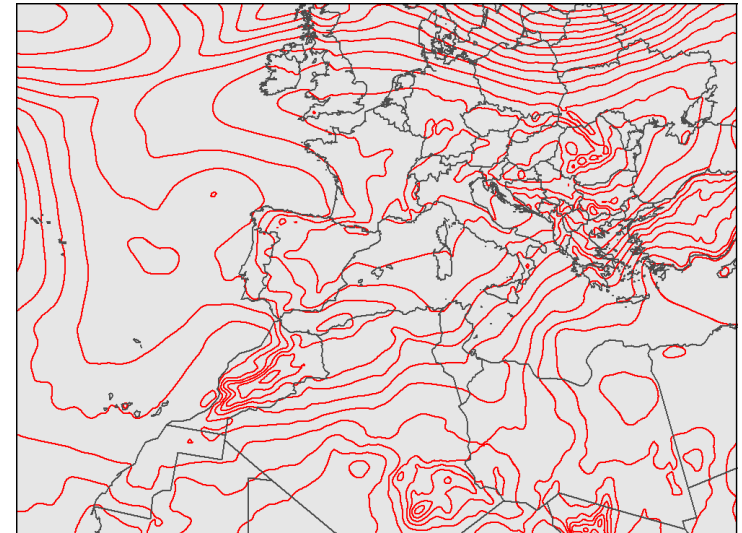
TRAM

Winds

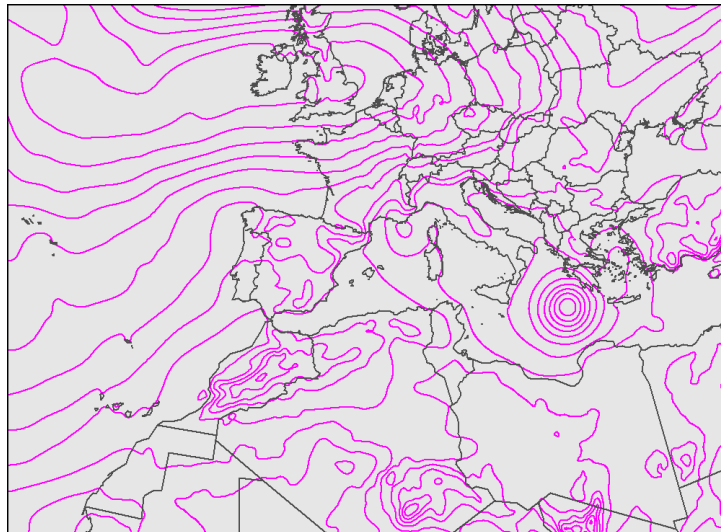
Rainfall

> "ZORBAS" Ionian Sea Medigane (IC: 00 UTC 27 Sept 2018)

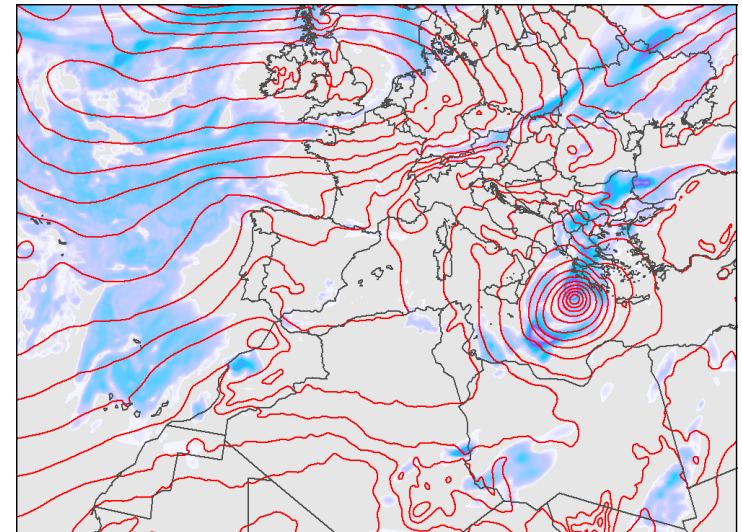
(MR: dx=25km, dzm=200m, stretch=10, dt=45s, Nstep=5, 90h)



t=0h



t=48h



kg/m²



ERA-5

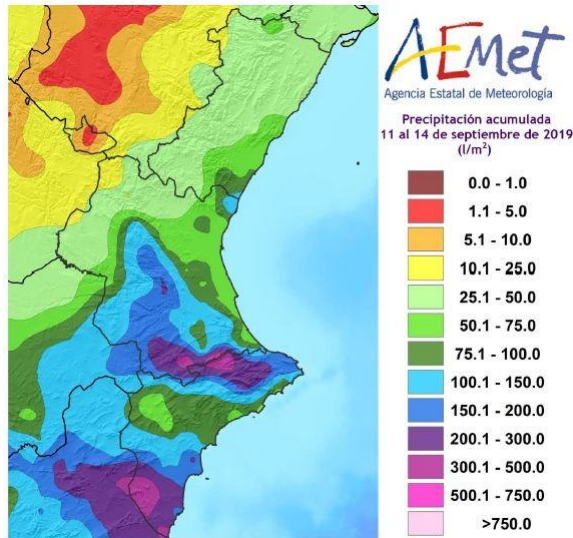
TRAM

Winds

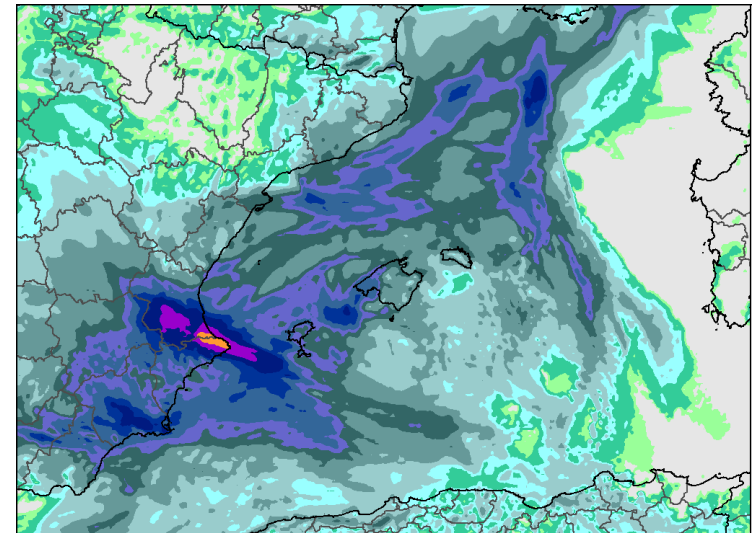
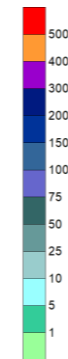
Rainfall

> "DANA" Valencia-Murcia Floods (IC: 00 UTC 10 Sept 2019)

(HR_double: dx=4.5km, dzm=200m, stretch=10, dt=9s, Nstep=5, 90h)



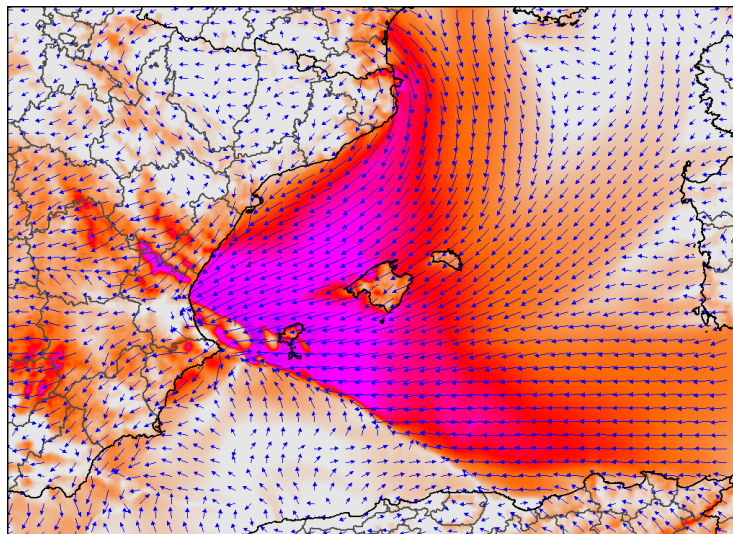
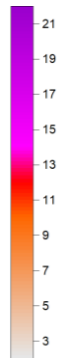
mm



total

Run

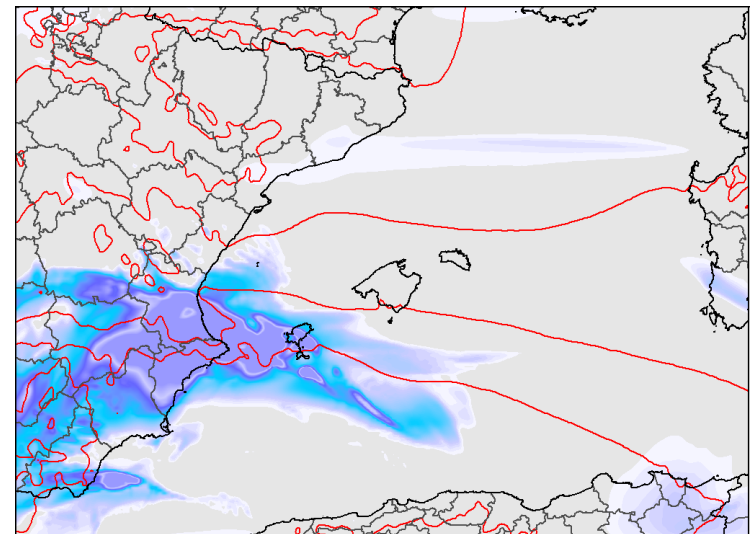
m/s



t=54h

Run

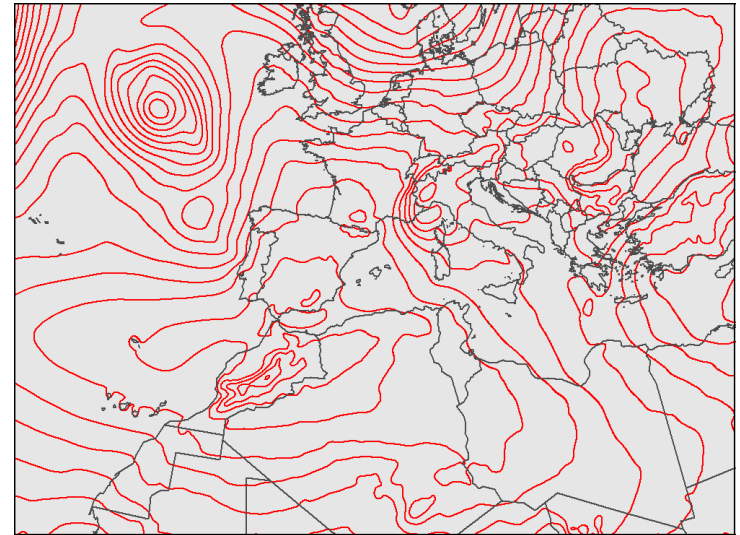
kg/m²



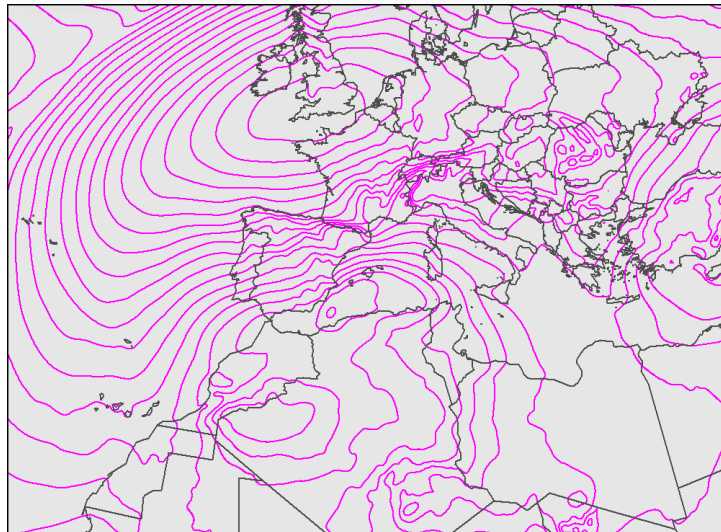
Run

> "GLORIA" Extraordinary Storm (IC: 00 UTC 18 Jan 2020)

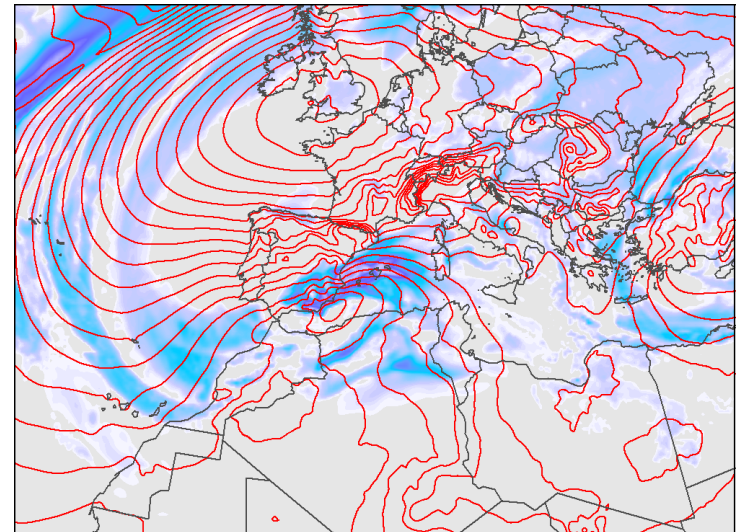
(MR: dx=25km, dzm=200m, stretch=10, dt=45s, Nstep=5, 138h)



t=0h



t=48h



kg/m²



ERA-5

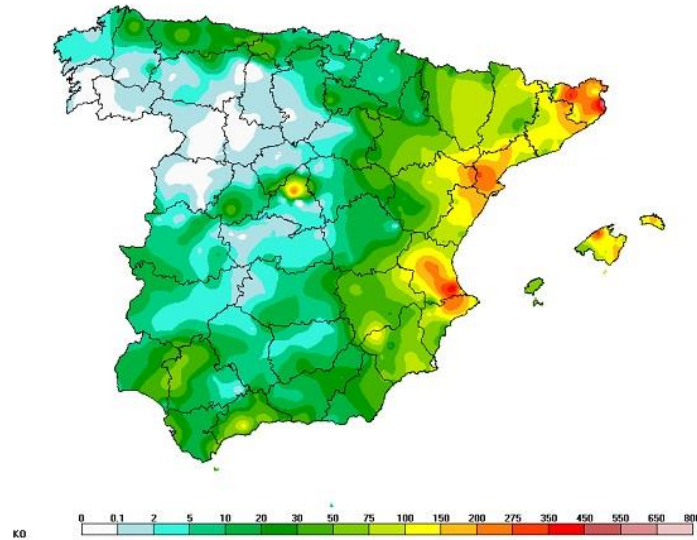
TRAM

Winds

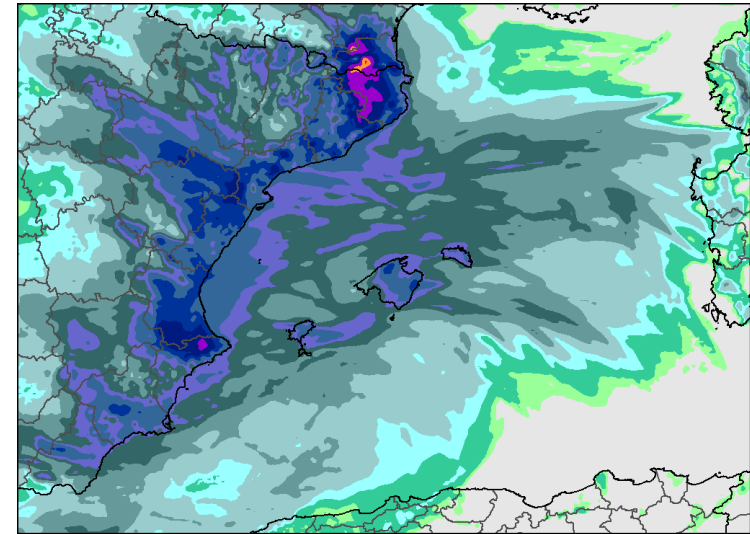
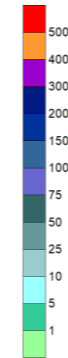
Rainfall

> "GLORIA" Extraordinary Storm (IC: 00 UTC 18 Jan 2020)

(HR_double: dx=4.5km, dzm=200m, stretch=10, dt=9s, Nstep=6, 138h)



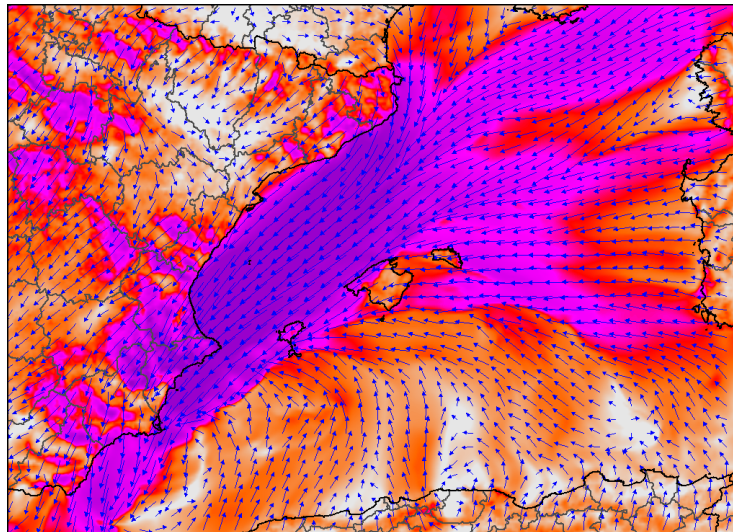
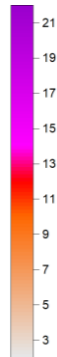
mm



total

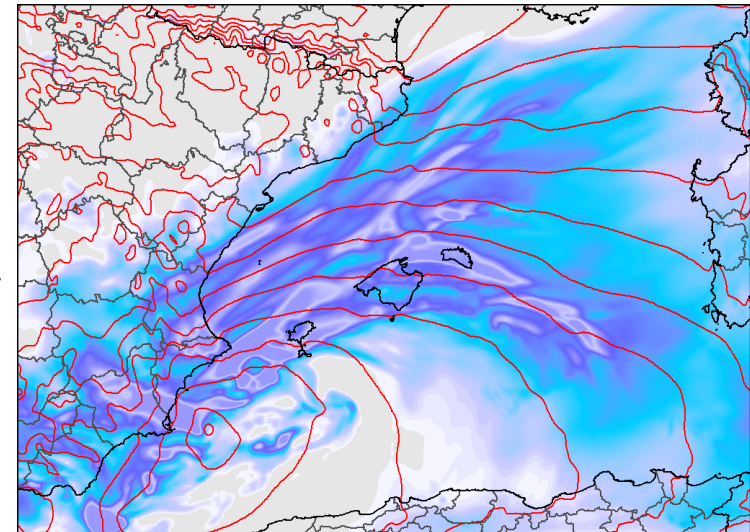
Run

m/s



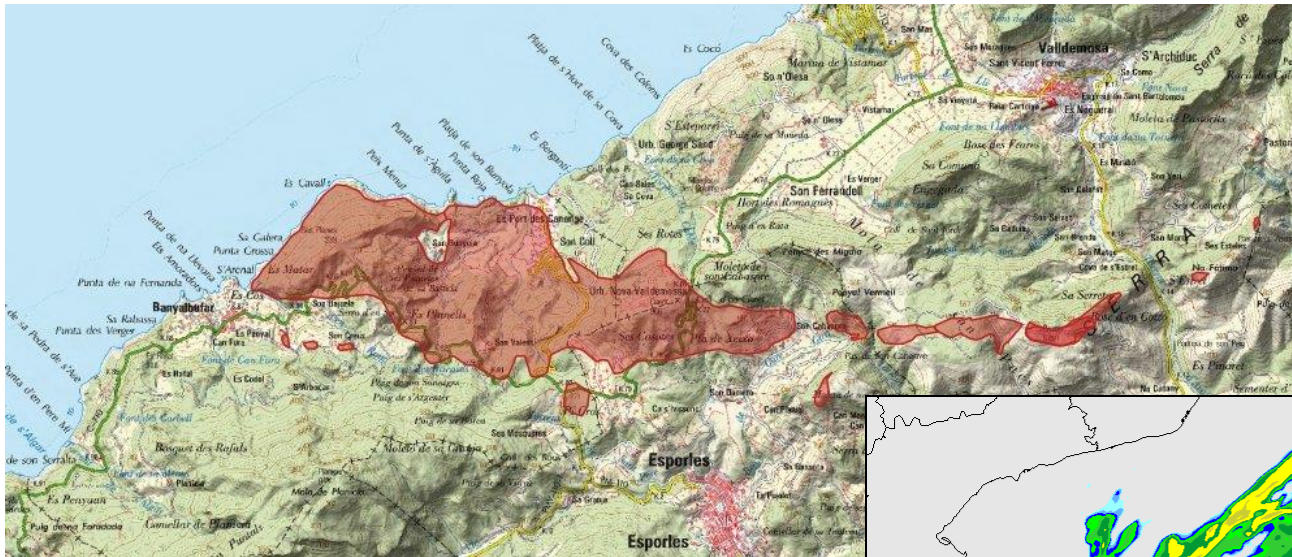
t=48h

kg/m²

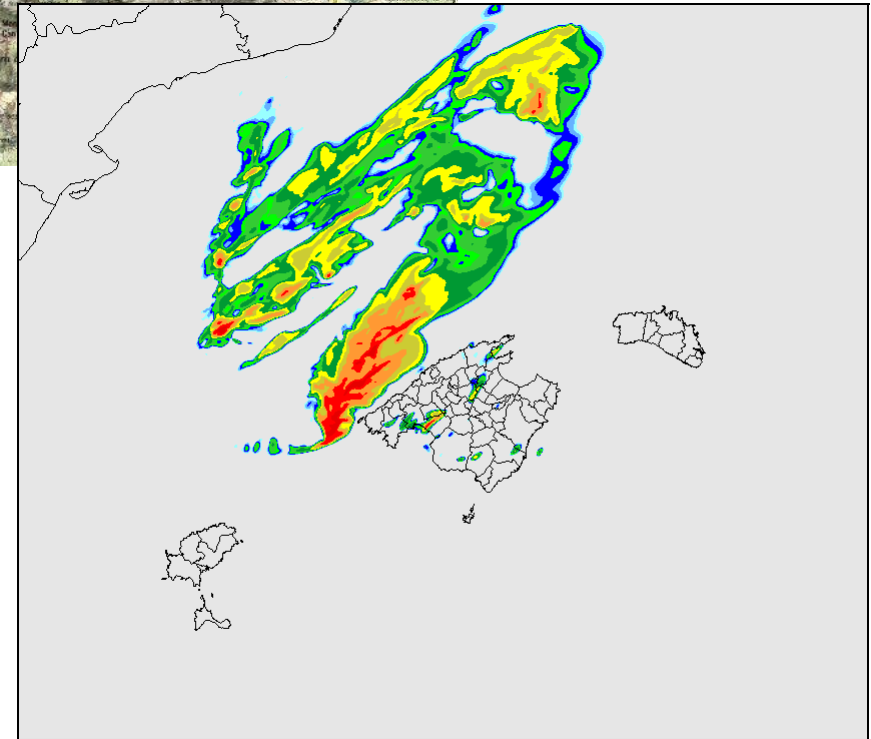
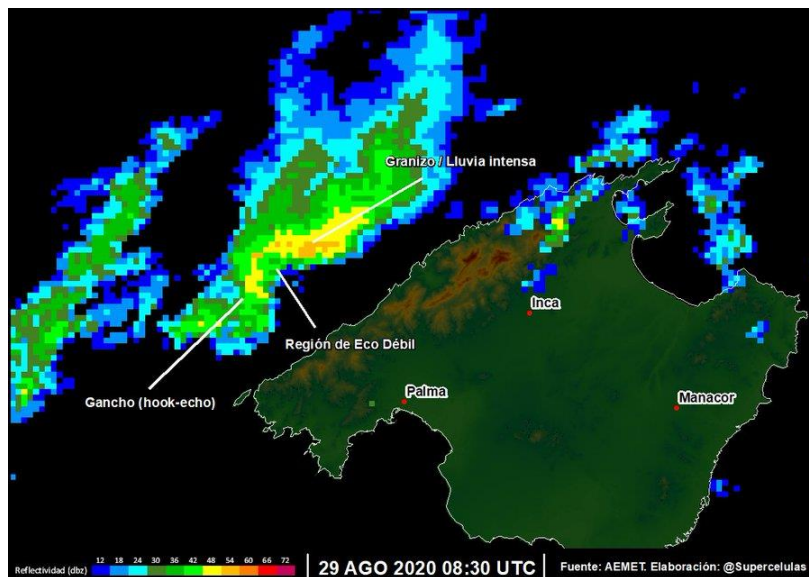


BANYALBUFAR-ESPORLES Severe Supercell (29 August 2020)

> 29/00-29/18 **TRAM Simulation** (dx=0.75km, GFS-fcst)



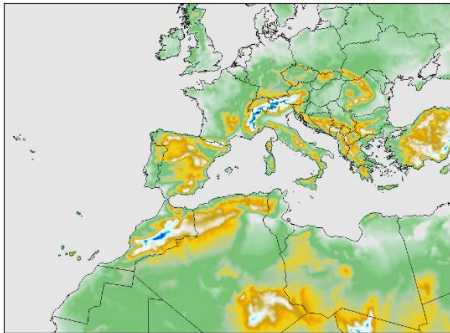
Run



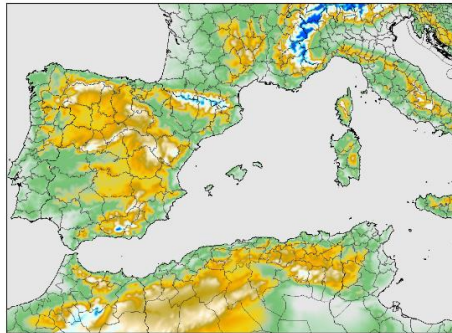
Wind Speed Rainfall Temperature

TRAM / MeteoUIB

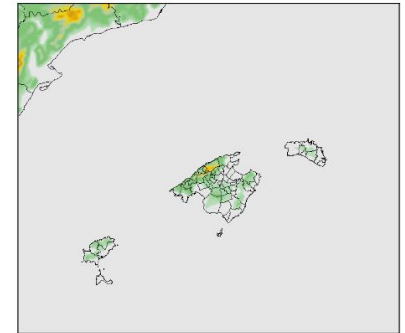
MR (17 km)



HR (6 km)



SR (2 km)



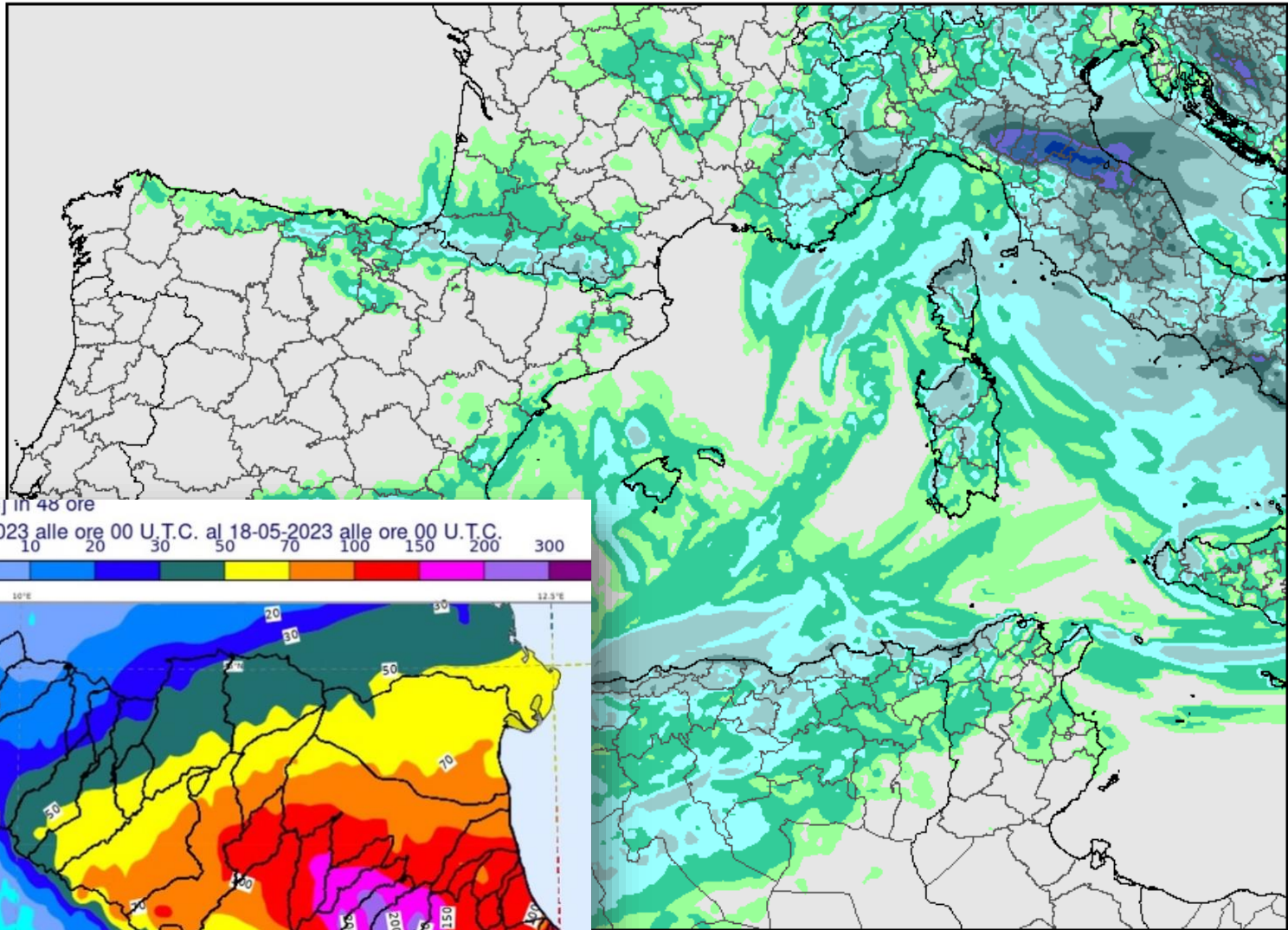
Universitat
de les Illes Balears

EMILIA-ROMAGNA Catastrophic Floods (16-17 May 2023)

TOTAL ACCUM PRECIP (mm)

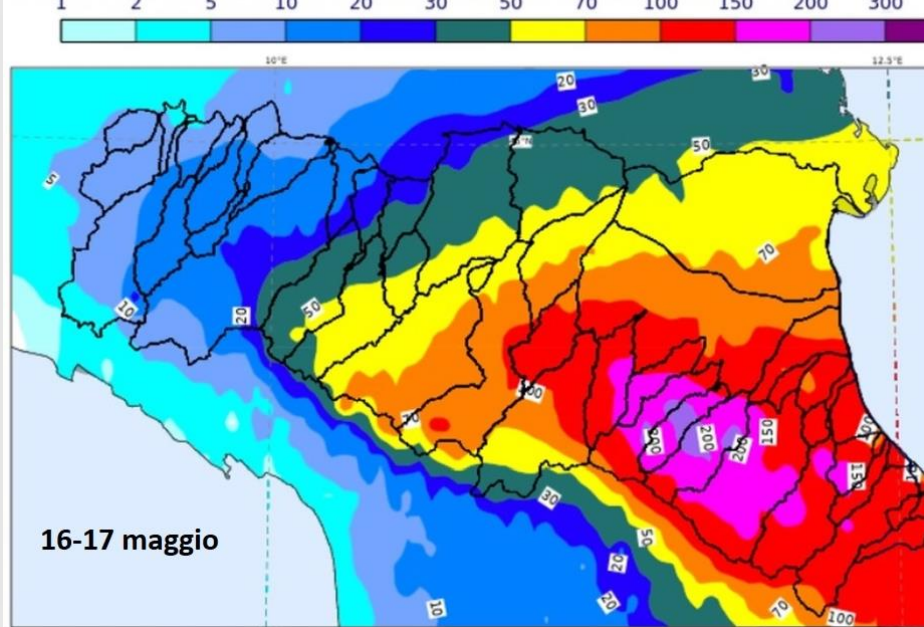
Forecast: 72:00h / Valid: 00:00z Fri, 19 May 2023

TRAM-HR



pioggia cumulata [mm] in 48 ore

Cumulata dal 16-05-2023 alle ore 00 U.T.C. al 18-05-2023 alle ore 00 U.T.C.



ARPAE-SIMC

THANK YOU
for
your attention