

FACTORS SEPARATION BY NUMERICAL SIMULATIONS: BOUNDARY, MODEL PHYSICS AND DYNAMICAL FACTORS

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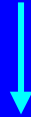
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Santiago de Compostela, 15-18 July 2001

INTRODUCTION

The **numerical modeling** of atmospheric circulations is the most powerful tool available to scientists to develop a better **physical understanding** of the responsible mechanisms and its relation to the **weather or the environment**



FACTOR SEPARATION

By **switching on / off** some given factors in the numerical simulations, the **role** played by these factors on our meteorological or environmental problem can be **isolated** !!!

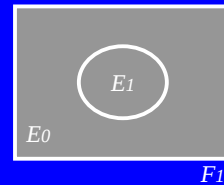
STRUCTURE

- 1) Factors Separation Technique
 - Traditional approach
 - Stein and Alpert (*J. Atm. Sci.*, 1993)
- 2) Types of factors I (Case Studies)
 - Boundary factors
 - Model Physics factors
- 3) Types of factors II (Case Study)
 - Dynamical factors
- 4) Conclusions

FACTORS SEPARATION (Traditional Approach)

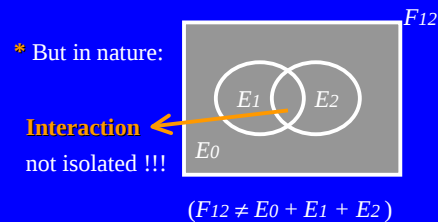
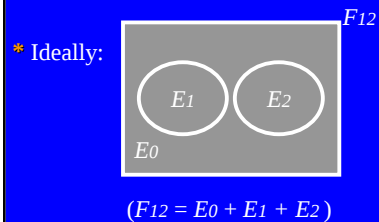
1 FACTOR

Run	Factor		
F_1	on	Induced by the factor	$E_1 = F_1 - F_0$
F_0	off	Independent of the factor	$E_0 = F_0$
$(F_1 = E_0 + E_1)$			



2 FACTORS

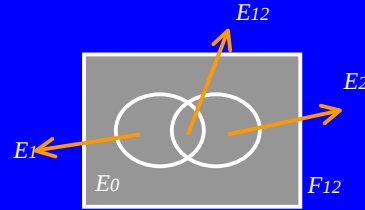
Run	Factor 1	Factor 2		
F_{12}	on	on	Induced by the factor 1	$E_1 = F_{12} - F_2$
F_1	on	off	Induced by the factor 2	$E_2 = F_{12} - F_1$
F_2	off	on	Independent of the factors	$E_0 = F_0$



FACTORS SEPARATION (Stein and Alpert, JAS 1993)

2 FACTORS

Run	Factor 1	Factor 2	
F_{12}	on	on	$= E_0 + E_1 + E_2 + E_{12}$
F_1	on	off	$= E_0 + E_1$
F_2	off	on	$= E_0 + E_2$
F_0	off	off	$= E_0$



Unrelated with factors 1 and 2

Induced by the **factor 1** (independent of 2)

Induced by the **factor 2** (independent of 1)

Induced by the **synergism** of factors 1 and 2

$$E_0 = F_0$$

$$E_1 = F_1 - F_0$$

$$E_2 = F_2 - F_0$$

$$E_{12} = F_{12} - (F_1 + F_2) + F_0$$

* Generalization:

n FACTORS $\longrightarrow$ **2^n SIMULATIONS**

$$E_{i_1 i_2 i_3 \dots i_k} = \sum_{m=0}^k (-1)^{k-m} \left(\sum_{\text{sort}} F_{j_1 j_2 j_3 \dots j_m} \right) \quad 0 \leq k \leq n$$

where $\sum_{\text{sort}}$ is over all groups of m sorted indices $j_1 j_2 j_3 \dots j_m$ chosen from k indices $i_1 i_2 i_3 \dots i_k$

FACTORS SEPARATION (Stein and Alpert, JAS 1993)

3 FACTORS

$$E_0 = F_0$$

$$E_1 = F_1 - F_0$$

$$E_2 = F_2 - F_0$$

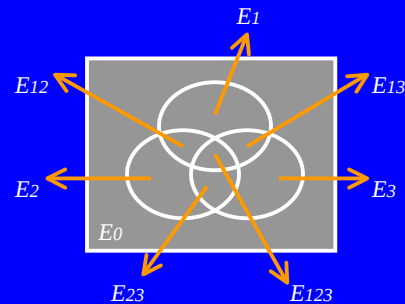
$$E_3 = F_3 - F_0$$

$$E_{12} = F_{12} - (F_1 + F_2) + F_0$$

$$E_{13} = F_{13} - (F_1 + F_3) + F_0$$

$$E_{23} = F_{23} - (F_2 + F_3) + F_0$$

$$E_{123} = F_{123} - (F_{12} + F_{13} + F_{23}) + (F_1 + F_2 + F_3) - F_0$$



(8 simulations necessary)

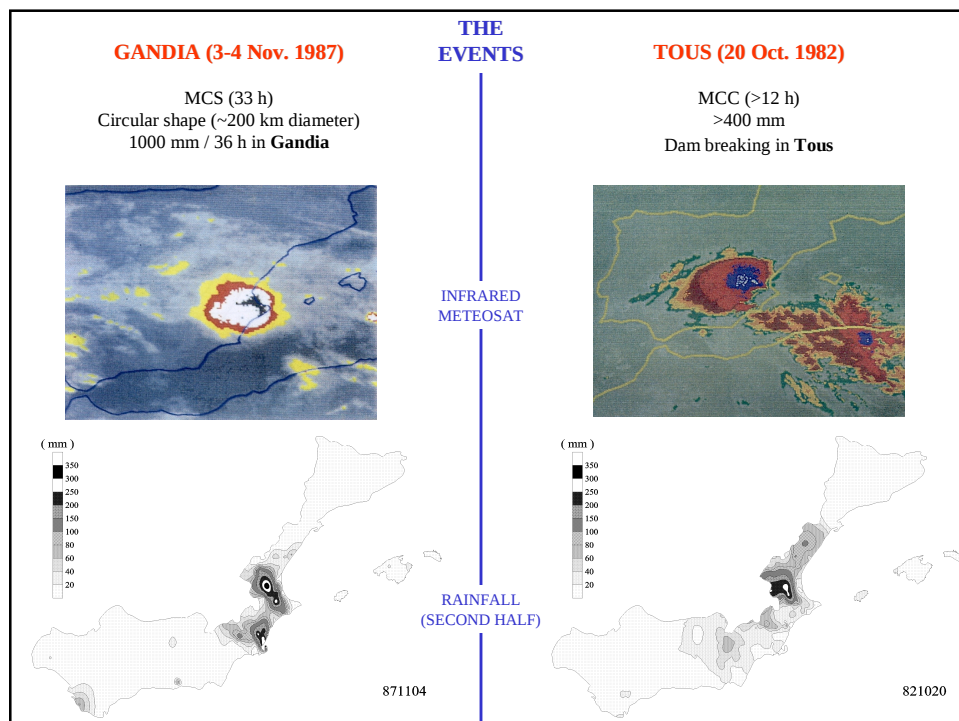
CASE STUDIES I

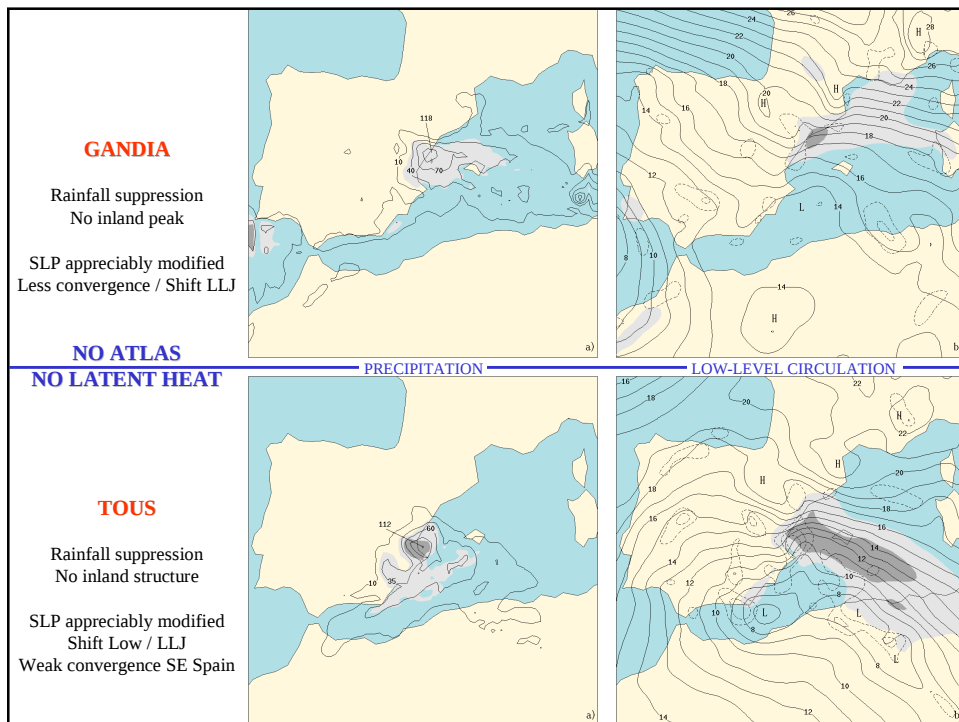
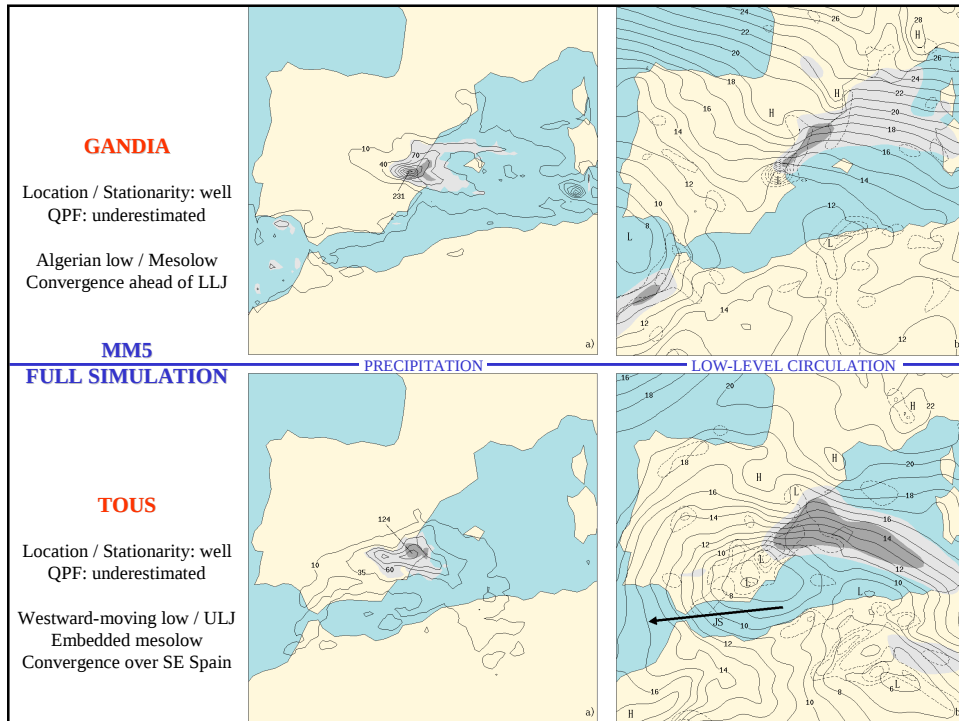
2 FLASH FLOOD EVENTS OVER EASTERN SPAIN

2 FACTORS

Atlas Mountains (a **boundary** factor)

Latent heat exchange (a **model physics** factor)





FACTOR SEPARATION STUDY

2 factors → 4 simulations

Experiment	Atlas orography	Latent heat exchange
F ₀	no	no
F ₁	yes	no
F ₂	no	yes
F ₁₂	yes	yes

Effect of the Atlas Mountains = $F_1 - F_0$

Effect of the Latent heat = $F_2 - F_0$

Effect of the interaction Atlas/Latent heat = $F_{12} - (F_1 + F_2) + F_0$

GANDIA

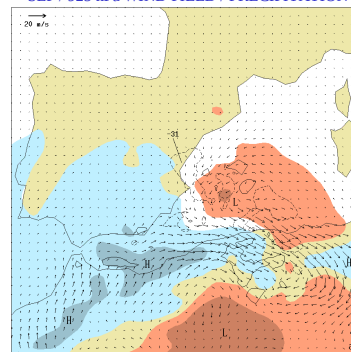
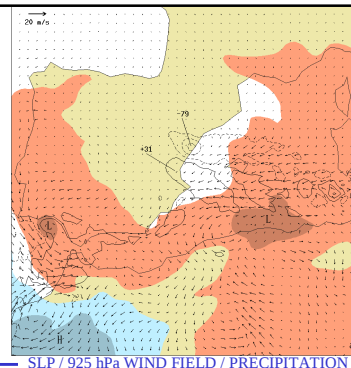
Extensive pressure decrease over the Mediterranean
Cyclogenesis / Enhancement of easterlies and convergence
Southward shift of the rainfall activity

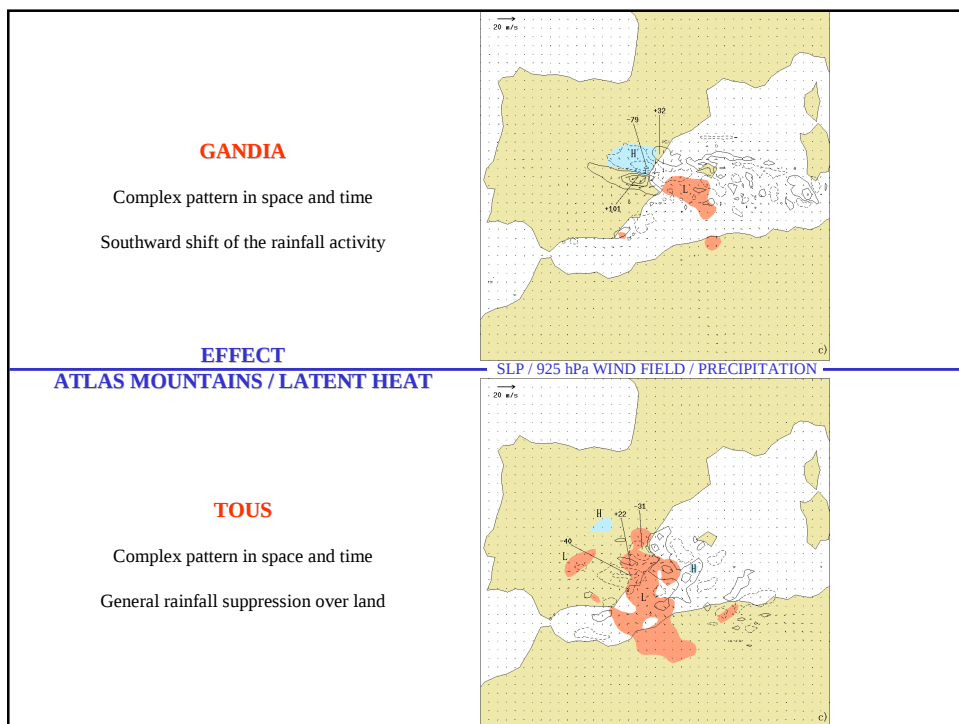
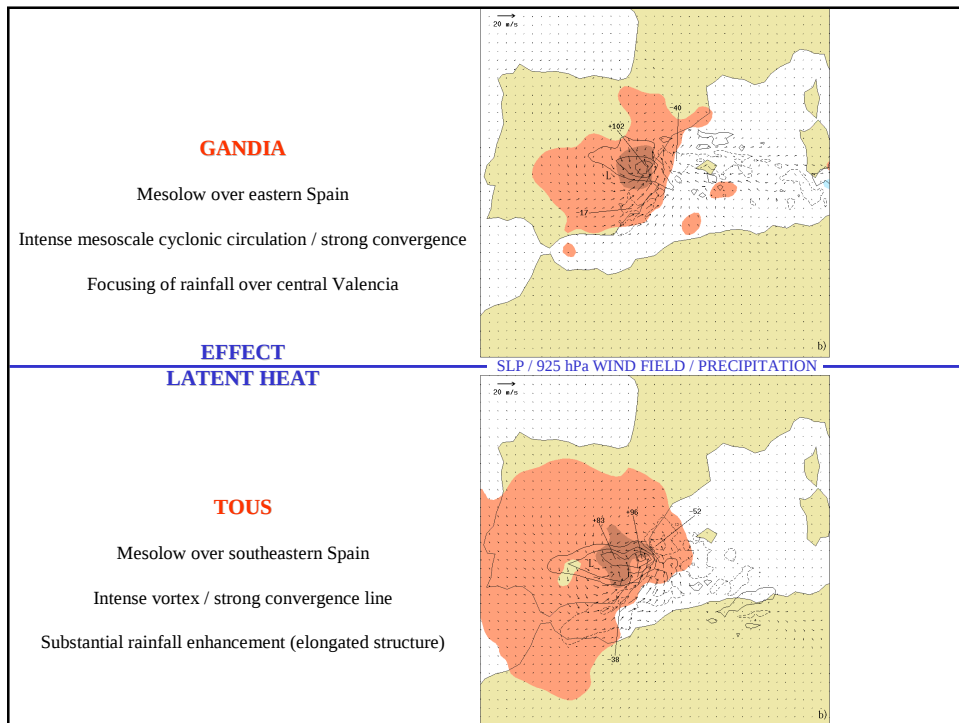
EFFECT

ATLAS MOUNTAINS

TOUS

Pressure decrease limited to the east of the Balearics
Northerly winds and offshore outflows over eastern Spain
General rainfall suppression



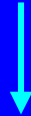


CASE STUDY II

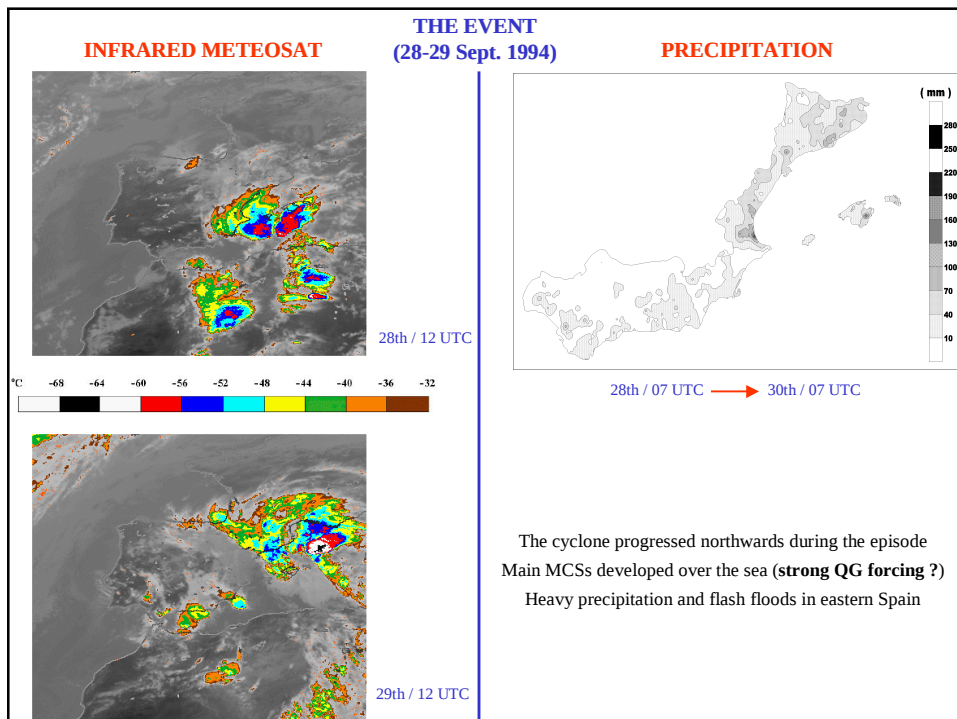
HEAVY RAIN PRODUCING WESTERN MEDITERRANEAN CYCLONE

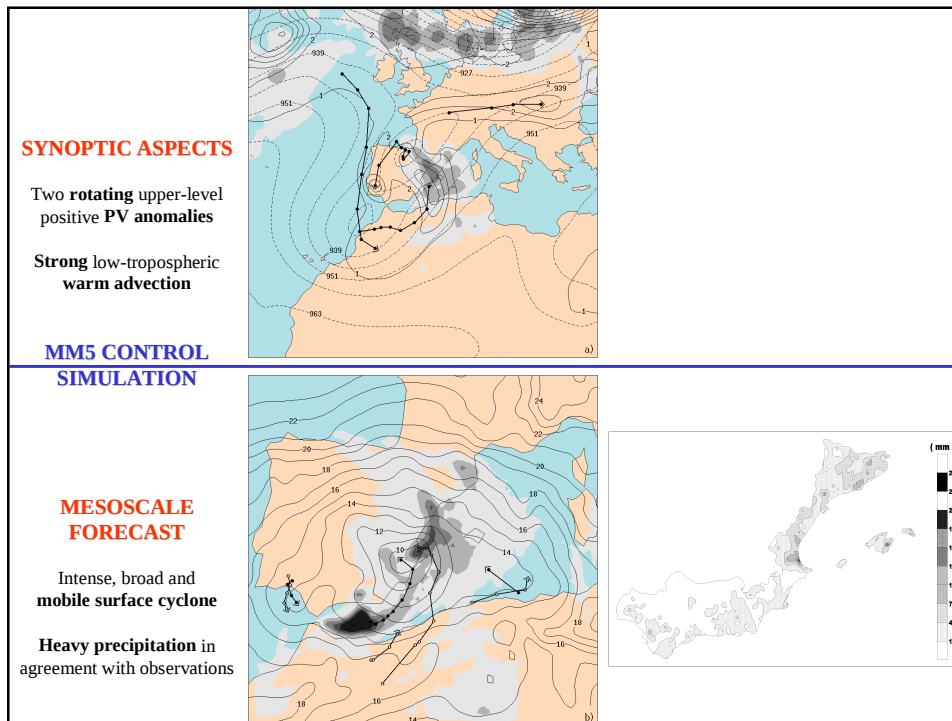
FACTORS → Two embedded upper level disturbances (positive PV anomalies)
(dynamical factors)

How can the internal features of the flow dynamics (jet streaks, troughs, fronts, etc...) be switched on / off without compromising the delicate 3-D dynamical balances that govern both the model and actual meteorological fields ???



PIECEWISE PV INVERSION

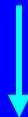




SENSITIVITY TO THE UPPER LEVEL PV ANOMALIES (motivation)

* The two embedded **upper-level PV centres** seem to be playing an **important role** for the evolution, intensity and areal extent of the **surface cyclone**

* How a potential analysis and/or forecast **error** in the representation of these **PV anomalies** might affect the **mesoscale forecast** ?



* **Sensitivity analysis** based on additional simulations with perturbed initial conditions

* A **balanced flow** associated with each anomaly **must be found** that can be used to alter the model initial conditions in a physically consistent way without introducing any significant noise in the model → **Piecewise PV inversion**

PIECEWISE PV INVERSION TECHNIQUE (Davis and Emanuel; MWR 1991)

1) Balanced flow (ϕ , ψ) given instantaneous distribution of Ertel's PV (q):

* Charney (1955) nonlinear balance equation

$$\nabla^2 \phi = \nabla \cdot f \nabla \psi + 2m^2 \left[\frac{\partial^2 \psi}{\partial x^2} \frac{\partial^2 \psi}{\partial y^2} - \left(\frac{\partial^2 \psi}{\partial x \partial y} \right)^2 \right]$$

f Coriolis parameter m map-scale factor

* Approximate form of Ertel's PV

$$q = \frac{g\kappa\pi}{p} \left[(f + m^2 \nabla^2 \psi) \frac{\partial^2 \phi}{\partial \pi^2} - m^2 \left(\frac{\partial^2 \psi}{\partial x \partial \pi} \frac{\partial^2 \phi}{\partial x \partial \pi} + \frac{\partial^2 \psi}{\partial y \partial \pi} \frac{\partial^2 \phi}{\partial y \partial \pi} \right) \right]$$

p pressure g gravity $\kappa = R_d/C_p$ $\pi = C_p(p/p_0)^\kappa$

* **Boundary conditions** Lateral (Dirichlet) / Top and Bottom (Neumann): $\partial \phi / \partial \pi = f \partial \psi / \partial \pi = -\theta$
 θ potential temperature

2) Reference state: Balanced flow ($\bar{\phi}$, $\bar{\psi}$) given time mean distribution of Ertel's PV ($\bar{q}$):

* Same equations as in 1), except using time mean fields instead of instantaneous fields

3) Perturbation fields (ϕ' , ψ' , q') given by the definitions: $(q, \phi, \psi) = (\bar{q}, \bar{\phi}, \bar{\psi}) + (q', \phi', \psi')$

PIECEWISE PV INVERSION TECHNIQUE

4) We consider that q' is partitioned into N portions or anomalies: $q' = \sum_{n=1}^N q_n$

5) Piecewise inversion: (ϕ_n , ψ_n) associated with q_n ?

... and requiring:

$$\begin{aligned} \phi' &= \sum_{n=1}^N \phi_n \\ \psi' &= \sum_{n=1}^N \psi_n \end{aligned}$$

...After substitution of the above summations in the balance and PV equations and some rearrangements of the nonlinear terms:

$$\nabla^2 \phi_n = \nabla \cdot f \nabla \psi_n + 2m^2 \left(\frac{\partial^2 \psi^*}{\partial x^2} \frac{\partial^2 \psi_n}{\partial y^2} + \frac{\partial^2 \psi^*}{\partial y^2} \frac{\partial^2 \psi_n}{\partial x^2} - 2 \frac{\partial^2 \psi^*}{\partial x \partial y} \frac{\partial^2 \psi_n}{\partial y \partial x} \right)$$

$$q_n = \frac{g\kappa\pi}{p} \left[(f + m^2 \nabla^2 \psi^*) \frac{\partial^2 \phi_n}{\partial \pi^2} + m^2 \frac{\partial^2 \phi^*}{\partial \pi^2} \nabla^2 \psi_n - m^2 \left(\frac{\partial^2 \phi^*}{\partial x \partial \pi} \frac{\partial^2 \psi_n}{\partial x \partial \pi} + \frac{\partial^2 \phi^*}{\partial y \partial \pi} \frac{\partial^2 \psi_n}{\partial y \partial \pi} \right) - m^2 \left(\frac{\partial^2 \psi^*}{\partial x \partial \pi} \frac{\partial^2 \phi_n}{\partial x \partial \pi} + \frac{\partial^2 \psi^*}{\partial y \partial \pi} \frac{\partial^2 \phi_n}{\partial y \partial \pi} \right) \right]$$

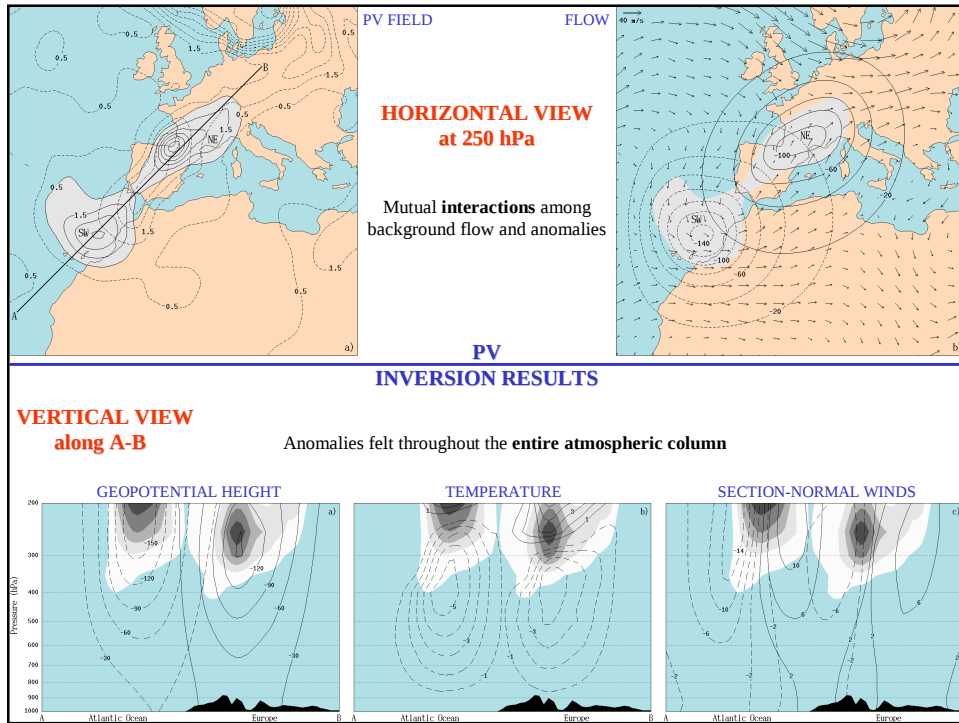
where $(*) = (\bar{} + \frac{1}{2}()')$

Boundary conditions: Lateral (homogeneous) / Top and bottom (using θ_n)

At 00 UTC 28 September 1994, using the NCEP-based isobaric analysis

* In our case study: **Reference state:** 6-day time average about 00 UTC 28 September

Anomalies: positive PV perturbations above 500 hPa **SW** and **NE** of Gulf of Cádiz



SENSITIVITY EXPERIMENTS

By adding and/or subtracting the PV-inverted balanced fields (geopotential, temperature and wind) into the model initial conditions

Sensitivity to the intensity

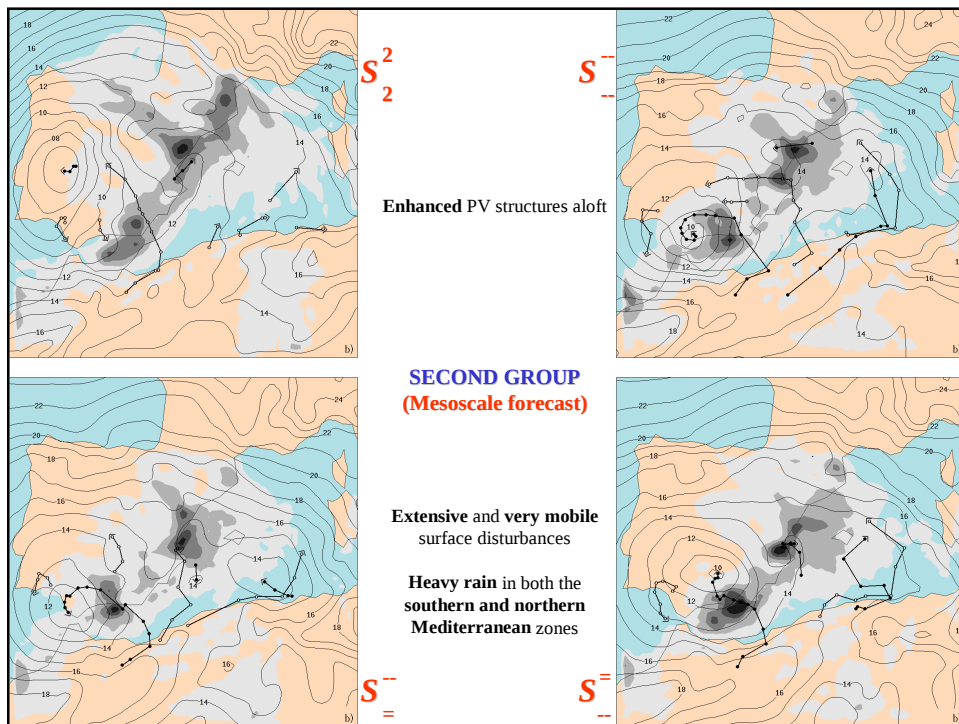
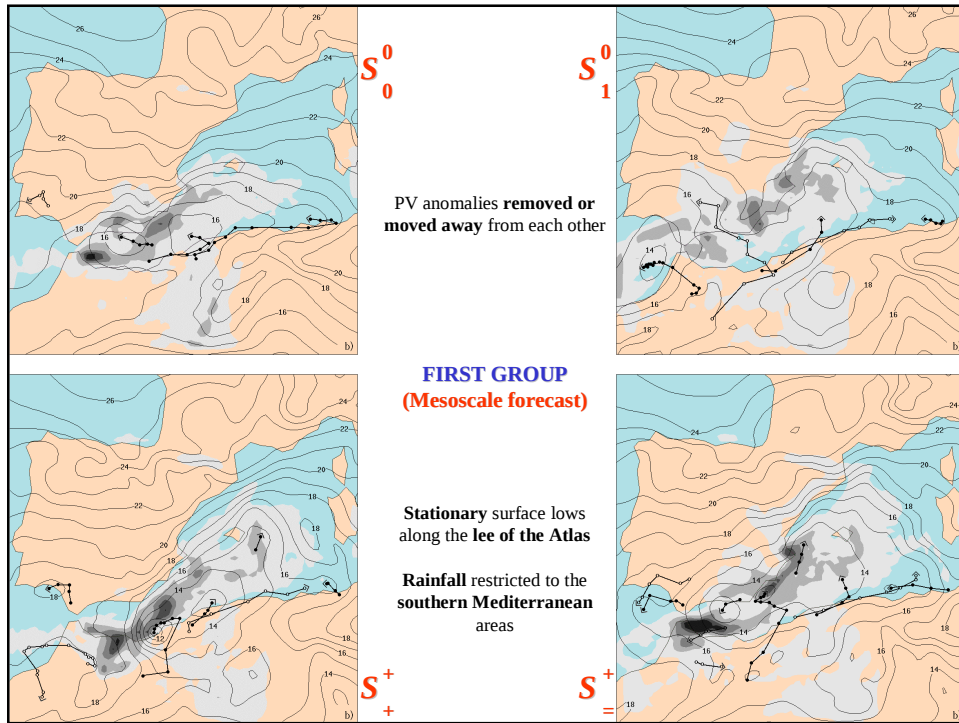
(One or both PV anomalies removed or doubled)

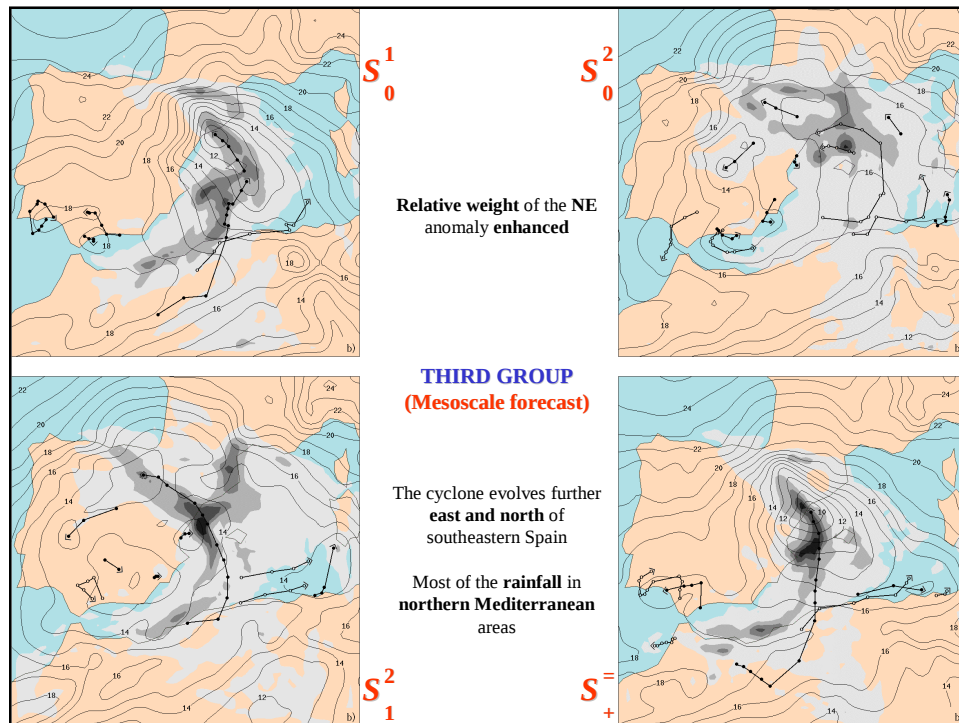
Experiment	SW anomaly	NE anomaly
S_0^0	Removed	Removed
S_2^2	Doubled	Doubled
S_1^0	Unchanged	Removed
S_2^0	Doubled	Removed
S_0^1	Removed	Unchanged
S_0^2	Removed	Doubled
S_2^1	Doubled	Unchanged
S_1^2	Unchanged	Doubled

Sensitivity to the position

(One or both PV anomalies shifted 425 km along A-B)

Experiment	SW anomaly	NE anomaly
S_-^-	Moved inwards	Moved inwards
S_+^+	Moved outwards	Moved outwards
$S_-^=$	Unchanged	Moved inwards
S_+^-	Moved outwards	Moved inwards
$S_-^=$	Moved inwards	Unchanged
S_+^+	Moved inwards	Moved outwards
S_+^-	Moved outwards	Unchanged
$S_-^=$	Unchanged	Moved outwards





CONCLUSIONS

1) Factor separation technique: Numerical simulations can be utilized to obtain the **pure contribution** of any factor to any predicted field, as well as the contributions due to the mutual **interactions** among two or more factors. **But** remember:

- **n factors** $\longrightarrow$ **2^n simulations**
- The interactions can be **complex** and difficult to interpret

2) The combined application of piecewise **PV inversion and **numerical simulation** offers a valuable and unique **framework** from which the effects of **dynamical features** of the flow can be studied in a practical and physically consistent way**

Note: The piecewise PV inversion code for MM5 / Vis5D is available from the author by e-mail (Romu.Romero@uib.es)